

**SESSION : 2**  
**CLASS : IV**  
**SUBJECT : MATHEMATICS**  
**CHAPTER NUMBER : 9**  
**CHAPTER NAME : TESTS OF DIVISIBILITY**  
**SUBTOPIC : TESTS OF DIVISIBILITY,  
EXPLANATION AND RULES**

---

**CHANGING YOUR TOMORROW**

---

# LEARNING OBJECTIVE

- Enable the students to understand about the divisibility rules of different numbers.

# TEST OF DIVISIBILITY

## Divisibility by 2:

A number is divisible by **2** if its last digit is an even number or zero; e.g. **24, 92, 178, 778, 2480, 9000**, etc.



# TEST OF DIVISIBILITY

## Divisibility by 4:

A number is divisible by **4** if the number formed by its last two digit is divisible by **4** or if the last two digits are both zeros, e.g. **116**, **300**, **2148**, **6100**, etc.



# TEST OF DIVISIBILITY

## Divisibility by 3:

A number is divisible by **3** if the sum of its digit is divisible by 3.

e.g. **NUMBER**

**Sum of The Digit**

$$18 = 1 + 8 = 9 \text{ (divisible by 3)}$$

$$243 = 2 + 4 + 3 = 9 \text{ (divisible by 3)}$$

$$2463 = 2 + 4 + 6 + 3 = 15 \text{ (divisible by 3)}$$

$$6472 = 6 + 4 + 7 + 2 = 19 \text{ (not divisible by 3)}$$

So, **6472** is not divisible by **3**.



# TEST OF DIVISIBILITY

## Divisibility by 6:

A number is divisible by **6** if it is divisible by 2 and 3 i.e. its last digit (one's digit) must be an even number and the sum of its digit must be divisible by 3. (e.g. **84**, **264**, **2142**, etc).



# TEST OF DIVISIBILITY

## Divisibility by 5:

A number is divisible by **5** if its last digit (one's digit) is either zero or 5. (e.g. **60**, **200**, **775**, **1045**, etc).



# TEST OF DIVISIBILITY

## Divisibility by 9:

A number is divisible by **9** if the sum of its digit is divisible by **9**.  
(Just like **3**)

e.g. **NUMBER**

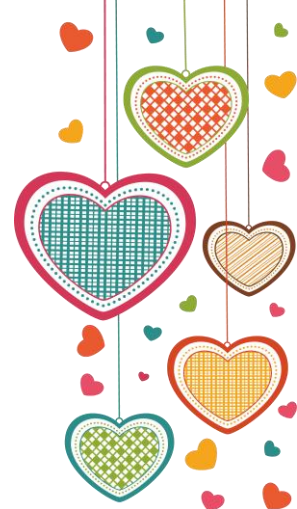
**Sum of The Digit**

$$4158 = 4 + 1 + 5 + 8 = 18 \text{ (divisible by 9)}$$

$$9846 = 9 + 8 + 4 + 6 = 27 \text{ (divisible by 9)}$$

$$8464 = 8 + 4 + 6 + 4 = 22 \text{ (not divisible by 9)}$$

So, **8464** is not divisible by **9**.





# TEST OF DIVISIBILITY

## Divisibility by **10**:

A number is divisible by **10** if its last digit (one's digit) is zero. (e.g. **90**, **180**, **1700**, **58120**, etc).



# TEST OF DIVISIBILITY

**EXAMPLE:** Check the divisibility of the following numbers.

a) 7122 by 3

**Answer:**

**7122** : To check its divisibility, we will add all the together.

$$7 + 1 + 2 + 2 = 12$$

**12** is divisible by **3**.

So, the number **7122** is divisible by **3**.



# TEST OF DIVISIBILITY

**EXAMPLE:** Check the divisibility of the following numbers.

b) 51,251 by 9

**Answer:**

**51,251** : To check its divisibility, we will add all the together.

$$5 + 1 + 2 + 5 + 1 = 14$$

**14** is not divisible by **9**.

So, the number **51,251** is not divisible by **9**.



# TEST OF DIVISIBILITY

**EXAMPLE:** Check the divisibility of the following numbers.

c) 79,684 by 4

**Answer:**

**79,684** : As per divisible by 4 rule if the number formed by its last two digit is divisible by **4**.

**84** is divisible by **4**.

$$\text{As } 4 \times 21 = 84$$

So, the number **79,684** is divisible by **4**.



# TEST OF DIVISIBILITY

**EXAMPLE:** Check the divisibility of the following numbers.

d) 2,712 by 6

**Answer:**

**2,712** : To check its divisibility, we will first look at the last digit and then add all the digits together. Since the last digit is even, it is divisible by 2.

$$2 + 7 + 1 + 2 = 12$$

**12** is divisible by **3**.

Since, **2,712** is divisible both by **2** and **3**, therefore the number **2,712** is divisible by **6**.



# LEARNING OUTCOME:

**Students are able to understand the divisibility rules of different numbers.**

**THANKING YOU**  
**ODM EDUCATIONAL GROUP**