

PERIOD 8

# **MATHEMATICS**

CHAPTER NUMBER :~ 7 CHAPTER NAME :~ TRIANGLES

#### CHANGING YOUR TOMORROW

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## PREVIOUS KNOWLEDGE TEST

1. In the given figure, equilateral  $\triangle ABD$  and  $\triangle ACE$  are drawn on the sides of a  $\triangle ABC$ . Prove that CD = BE



### LEARNING OUTCOME:~

Students will be able to learn more on SSS congruence and RHS congruence.
Students will develop the application knowledge of RHS and SSS congruence.



#### Ex 7.3,4

BE and CF are two equal altitudes of a triangle ABC . Using RHS congruence rule , prove that the triangle ABC is isosceles .

#### Given:

Given BE is a altitude,

So, 
$$\angle AEB = \angle CEB = 90^{\circ}$$
 ...(1

Also, CF is a altitude,

So, 
$$\angle AFC = \angle BFC = 90^{\circ}$$
 ...(2)

Also, BE = CF ....(3)

#### To prove: Δ ABC is isoceles





In $\Delta$ BCF and $\Delta$ CBE		A
$\angle BFC = \angle CEB = 90^{\circ}$	(Both 90° )	
BC = CB	(Common )	F
FC = EB	(From (3))	
$\Delta \text{ BCF} \cong \Delta \text{ CBE}$	(RHS congruence rule)	B C

- $\therefore \angle FBC = \angle ECB \qquad (CPCT)$
- So,  $\angle ABC = \angle ACB$

AB = AC (Sides opposite to equal angles is equal)

So,  $\triangle ABC$  is an isosceles triangle



#### Ex 7.3,5

ABC is an isosceles triangle with AB = AC . Draw AP  $\perp$  BC to show that  $\angle B = \angle C$ .

Given:Since  $\triangle$  ABC is isoscelesAB = ACGiven AP  $\perp$  BC ,So,  $\angle$  APB =  $\angle$  APC = 90°...(2)



<u>To prove</u>:  $\angle B = \angle C$ 





So, 
$$\angle B = \angle C$$
 (CPCT)

Hence proved



## HOMEWORK ASSIGNMENT

Exercise 7.3 Question number 3,4,5



#### AHA

1.If two sides of a triangle are unequal then prove that the angles opposite to the longer sides is larger.



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