

**CHAPTER-19****FUNDAMENTAL OPERATIONS****STUDY NOTE**

In Mathematics, the operations addition (+), subtraction (-), multiplication (x) and division (/) are the four fundamental operations.

Like Terms

Like Terms are **terms** whose variables (and their exponents such as the 2 in  $x^2$ ) are the same.

In other words, terms that are "like" each other.

Note: the **coefficients** (the numbers you multiply by, such as "5" in  $5x$ ) can be different.

**Example:**

 $7x$ 
 $x$ 
 $-2x$ 
 $\pi x$ 

are all **like terms** because the variables are all  $x$

**Example:**

 $(1/3)xy^2$ 
 $-2xy^2$ 
 $6xy^2$ 
 $xy^2/2$ 

are all **like terms** because the variables are all  $xy^2$

- (i) ADDITION OF LIKE TERMS:

- The addition of like terms is a single term (like to the given terms) whose coefficient is equal to the sum of the coefficients of the given (like) terms.

For example: 1.  $2xy + 5xy = 7xy$

2.  $3x + 9x = 12x$

- (ii) ADDITION OF UNLIKE TERMS:

- As shown above, the sum of two or more like terms is a single like term, but two unlike terms cannot be added together to get a single term.
- For example: the unlike terms  $2ab$  and  $4bc$  cannot be added together to form a
- single term. All that can be done is to connect them by the sign of addition and leave
- the result in the form  $2ab + 4bc$ .

**Example: These are NOT like terms because the variables and/or their exponents are different:**

$$2x$$

$$2x^2$$

$$2y$$

$$2xy$$

- (i) SUBTRACTION OF LIKE TERMS:

- The subtraction of like terms is a single term (like to the given terms) whose coefficient is equal to the difference of the coefficients of the given (like) terms.

For example: 1.  $12xy - 5xy = 7xy$

2.  $23x - 9x = 14x$

## Adding Polynomials

Two Steps:

- Place **like terms** together
- Add the like terms

Example: Add  $2x^2 + 6x + 5$  and  $3x^2 - 2x - 1$

Start with:  $2x^2 + 6x + 5 + 3x^2 - 2x - 1$

Place like terms together:  $2x^2 + 3x^2 + 6x - 2x + 5 - 1$

Which is:  $(2+3)x^2 + (6-2)x + (5-1)$

Add the like terms:  $5x^2 + 4x + 4$

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