

Chapter- 5

Introduction to Euclid's Geometry**WORKSHEET****1 Mark**

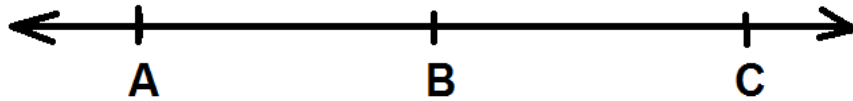
- (1) Euclid divided his famous treatise "The Elements" into
(a) 13 chapters (b) 12 chapters
(c) 11 chapters (d) 9 chapters
- (2) The total number of propositions in the Elements are
(a) 465 (b) 460 (c) 13 (d) 55
- (3) Greeks emphasized on
(a) Inductive reasoning (b) deductive reasoning
(c) both (a) & (b) (d) practical use of geometry
- (4) In Ancient India, Altars with combination of shapes like rectangles, triangles and trapeziums were used for
(a) Public worship (b) household rituals
(c) both (a) & (b) (d) none of (a), (b) & (c)
- (5) In ancient India, the shapes of altars used for household rituals were
(a) squares and circles
(b) triangles and rectangles
(c) trapeziums and pyramids
(d) rectangles and squares

2 Marks

- (6) _____ are the axioms that are specific to geometry.
- (7) _____ are statements which are proved through logical reasoning on the basis of previously proved results and axioms.
- (8) Things which are equal to the same things are _____ to one another.
- (9) There are given five distinct points and no three of them are collinear. What is the number of lines that can be drawn through them?
- (10) How many lines can be drawn through a given point?

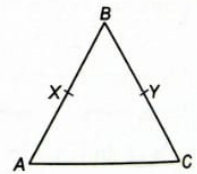
3 Marks

- (11) Ram and Ravi have the same weight. If they each gain weight by 2 kg, how will their new weights be compared?
- (12) Solve the equation $a - 15 = 25$ and state which axiom do you use here.
- (13) It is known that $x + y = 10$ and that $x = z$. Show that $z + y = 10$.
- (14) Two salesman make equal sales during the month of August. In September, each salesman doubles his sale of the month of August. Compare their sales in September.
- (15) If A, B and C are three points on a line, and B lies between A and C (Figure), then prove that, $AB + BC = AC$

**4 Marks**

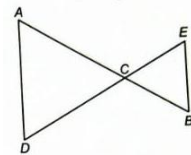
- (16) In the figure, we have X and Y as the mid -points of AC and BC and $AX = CY$. Show that $AC = BC$.

- (17) In the figure, $BX = \frac{1}{2} AB$; $BY = \frac{1}{2} BC$ and $AB = BC$. Show that $BX = BY$.



- (18) Prove that an equilateral triangle can be constructed on any given line segment.

- (19) In figure, we have $AC = DC$, $CB = CE$. Show that $AB = DE$.



- (20) In figure, if $\angle 1 = \angle 3$, $\angle 2 = \angle 4$ and $\angle 3 = \angle 4$, write the relation between $\angle 1$ and $\angle 2$ using a Euclid's axiom.

