

H/W

EXERCISE

9 (1)

1 (i). 352 - All the ~~even nos~~ ~~are~~ divisible by 2. i.e. ^{when} {0, 2, 4, 6, 8} are in the unit's place. \therefore
So, As, 352 is a even no. it is divisible by 2.

(ii) 523 - All the even nos. are divisible by 2 i.e. ^{when} {0, 2, 4, 6, 8} are in the unit's place. \therefore
So, as 523 is a odd no. it is not divisible by 2.

(iii) 496 - All the even nos. are divisible by 2 i.e. ^{when} {0, 2, 4, 6, 8} are in the unit's place. \therefore
So, as 496 is a even no. it is divisible by 2.

2(i) 222 - ~~If~~ If the last two nos. are divisible by 4, so, ~~it~~ it is divisible by 4. As 22 have 22 as the last no. so it is not divisible by 4.

1 (iv) 649 - If the units place have, 0, 2, 4, 6, 8 are in as the nos. so it is divisible by 2.
As the units place ~~contains~~ consist 9 as the digit is so, it is not divisible by 2.

2(ii) 532 - If the last two digits are divisible by 4, so, it is divisible by 4.
As 32 have 32 as the last two no.s, so ~~it~~ 532 is divisible by 4.

(iii) 678 - If the last two digits are divisible by 4, so, it is divisible by 4.
As 78 have 78 as the the last two no. s, so, 678 is not divisible by 4.

(iv) 9232 = If the last two digits are divisible by 4, so it is divisible by 4. As 32 have 32 as the last two no.s, so ~~9232~~ 9232 is divisible by 4.

30 Find which of the following numbers are divisible by 8

(i) 324 - The no. formed by the ^{sum of} ~~digit~~ digits of hundred's place, Ten's place and unit's place, is divisible by 8. So ~~As $3+2+4=9$~~ the no. is divisible by 8. As $3+2+4$ forms 9, so it is not divisible by 8.

(ii) 2536 - The no. formed by the ^{sum of} ~~nos.~~ nos. hundred's place, ten's place and unit's place is divisible by 8. So the no. is divisible by 8. As $2+5+3+6$ forms 16, so it is divisible by 8.

(iii) 92760 - The no. formed by the sum of nos. hundred's place, ten's place and unit's place is ~~divisible~~ divisible by 8. So the no. is divisible by 8. ~~So, the no. is divisible by 8.~~ As $9+2+7+6+0$ forms 25. So, it is not divisible by 8.

(iv) 444320 - The no. formed by the sum of nos. hundred's place, ten's place and unit's place is divisible by 8. So, the no. is divisible by 8. As $4+4+4+3+2+0=17$ So, it is not divisible by 8.

4. Find which of the following no's are divisible by 3.

(i) 221 - If the sum of the digits is divisible by 3, so, it is divisible by 3.
As $2+2+1=5$, so it is not divisible by 3.

(ii) 543 - If the sum of the digits is divisible by 3, so, it is divisible by 3.
As $5+4+3=12$, so it is divisible by 3.

(iii) 28492 - If the sum of the digits is divisible by 3, so, it is divisible by 3. As
 $2+8+4+9+2=25$, so it is not divisible by 3.

(iv) 92349 - If the sum of the digits is divisible by 3, so it is divisible by 3.
As $9+2+3+4+9=27$, so it is not divisible by 3.

5(i) 1332 - If the sum of the digits is divisible by 9, so it is divisible by 9.
As $1+3+3+2=9$, so it is divisible by 9.

(ii) 53247 - If the sum of the digits is divisible by 9, so it is divisible by 9.
As $5+3+2+4+7=21$, so it is not divisible by 9.

(ii) 4968 - If the ~~the~~ sum of the digits is divisible by 9, so it is divisible by 9. As $4+9+6+8 = 27$ so, it is divisible by 9.

(iv) 200314 - If the sum of the digits is divisible by 9, so it is divisible by 9. As $2+0+0+3+1+4 = 10$. So, it is ^{not} divisible by 9.

~~6# Find 324~~ If the no. is divisible by both 2 and 3. So it is divisible by 6.

(i) 324 - ~~As 324 is divisible by both 2 and 3, so, it is divisible.~~
324 is divisible by 2 and $3+2+4 = 9$ which is divisible by 3. As 324 is divisible by both 2 and 3. So it is divisible by 6.

(ii) 2010 = 2010 is divisible by 2.
 $2+1+0+0 = 3$ which is divisible by 3. As 2010 is divisible by both 2 and 3. So, it is divisible by 6.

(iii) 33278 = 33278 is divisible by 2. $3+3+2+7+8 = 23$. As 33278 is not divisible by both 2 and 3. So it is not divisible 6.

(iv) 15505 = 15505 is not divisible by 2
~~15505~~ $1+5+5+0+5 = 16$ ~~is not~~
which is not divisible by 3.
As, ~~15505 is not~~ 15505 is not
divisible by 2 and 3. So, it is ^{not} divisible
by 6.

← numbers,

7- If the ^{units} place have 5 or 0 ~~at the~~
~~units place~~, so, it is divisible by 5.

(i) 5080 - As 5080 have 0 at the units
place, so it is divisible 5.

(ii) 66666 - As 66666 have 6 at the units
place, so it is ^{not} divisible by 5.

(iii) 755 - As 755 have 5 at the units
place, so it is divisible 5.

(iv) 9207 - As 9207 have 7 at the units
place so, it is not divisible by 5.

8 ~~nos.~~ ~~nos.~~ If the ^{nos.} units place have 0, so, it is
divisible by 10.

(i) 9990 - As the units place ^{have} 0 ~~at~~ ~~the~~
So, 9990 is divisible [^] by 10

(ii) 0 - As the units place have only 0, so
it is not divisible by 10.

(iii) 847 - As the ^{no's} unit's place have 7, so, 847 is not divisible by 10.

(iv) 8976 - As the no's unit's place have 6, so 8976 is not divisible by 10.

02/07/21
C.W

Divisibility Rule for 11 - If the sum of the nos. ^{odd} digit's - ^{even no's} is divisible by 11, so it is divisible by 11.

Q. If the sum of the no's digit's is divisible by 11, so, it is divisible by 11.

(i) 5918 - As $5+9+1+8 = 25$, so it is not divisible by 11.

(ii) 68717 - As $6+8+7+1+7 = 29$, so it is not divisible by 11.

(iii) 3882 - As $3+8+8+2 = 21$, so, it is not divisible by 11.

(iv) 10857 - As $1+0+8+5+7 = 21$, so, it is not divisible by 11.

C.W
5/06/21

Date _____
Page _____

Divisibility Rule for 15: If the no. is divisible by both 3 and 5
So, it is divisible by 15.

10. If the no. is divisible by both 3 and 5.
So, it is divisible by 15.

(i) 960 - As it is divisible ^{by} 5.
 $9+6+0=15$ which is ~~also~~ divisible by 3.
So, 960 is divisible by 15.

(ii) 8295 - As it is divisible ^{by} 5.
 $8+2+9+5=24$ which is divisible by 3.
So, 8295 is divisible by 15.

(iii) 10243 - As it is not divisible by 5.
So, 10243 is not divisible by 15.

(iv) 5013 - As it is not divisible by 5.
So, 5013 is not divisible by 15.

11. (i) $64 \text{ M } 3 = 6 + 4 + 3 = 13$

So, the smallest ~~number~~

11. (i) $64 \text{ M } 3 =$ As $6 + 4 + 3 = 13$ will
The smallest no. ~~should~~ be $13 + 2 = 15$.

(ii) $46 \text{ M } 46 =$ As $4 + 6 + 4 + 6 = 20$
The smallest no. will be $20 + 4 = 24$.

(iii) $27 \text{ M } 53 =$ As $2 + 7 + 5 + 3 = 17$
The smallest no. will be $17 + 1 = 18$.

12. (i) $76 \text{ M } 91 =$ As $7 + 6 + 9 + 1 = 23$
The smallest no. will be $23 + 4 = 27$.

(ii) $77548 \text{ M} =$ As $7 + 7 + 5 + 4 + 8 = 31$
The smallest no. will be $31 + 5 = 36$.

(iii) $627 \text{ M } 9 =$ As $6 + 2 + 7 + 9 = 24$
The smallest no will be $24 + 3 = 27$.

(iii) $39M2 = A_2$ $3+9+2 = 14$

The smallest no. will be $14+8$
 $= 22$

(iv) $8M422 = A_5$ $3+4+2+2 = 11$

The smallest no. will
be 11 itself.

(iii) $70975 \text{ M} = \cancel{7} + \cancel{0} + 9 + 7 + 5 = 28$. The smallest no. will be $28 + 5 = 33$.

(iv) $14 \text{ M } 75 = 1 + 4 + 7 + 5 = 17$. The smallest no. will be $17 + 5 = 22$.

(4. ii) If a number is divisible by 4, it is divisible 8. False

(ii) If a number is a ~~6~~ 16 and 24 it is a factor of 48. True.

(iii) If a number is divisible by 18, it is divisible by 3 and 6. True