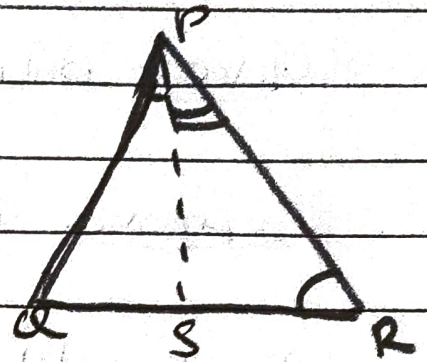


Exercise 7.4

5. In fig 7.51, $PR > PQ$ and PS bisects $\angle QPR$.
Prove that $\angle PSR > \angle PSQ$.

→ Given: $PR > PQ$
 PS bisects $\angle QPR$



To prove: $\angle PSR > \angle PSQ$

Proof: $\angle QPS = \angle RPS$ — (PS bisect $\angle QPR$)

$\angle PQR > \angle PRQ$ — ($PR > PQ$)

$\angle QPS = \angle RPS$

$\angle PSR > \angle PSQ$ (As the sum of the angles of the a triangle is 180°)

$$\angle QPS + \angle PQS + \angle PSQ = 180^\circ$$

$$\angle PQS + \angle PSR + \angle PRS = 180^\circ$$

$$\therefore \angle QPS = \angle PRS$$

$$\text{As } \angle PQS > \angle PRS$$

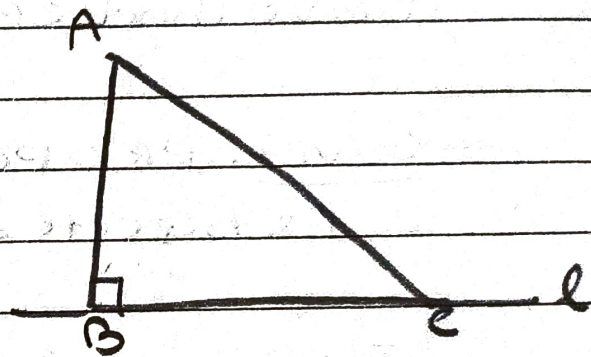
$$\Rightarrow \angle PSR > \angle PSQ \quad (\text{Proved})$$

6. Show that of all line segment drawn from a given point not on l , the perpendicular or line segment is the shortest.

→ Given: $BA \perp l$

To prove: $AB < AC$

Proof: $\triangle ABC$, $B = 90^\circ$



$$A + B + C = 180^\circ$$

$$\therefore A + C = 90^\circ$$

Hence, C must be an acute angle which implies $CB < AB$.

So $AB < AC$ as the side opposite to the larger angle is always longer.