

1. Find which of the following numbers are divisible by 2:

i) 324

ii) 523

iii) 496

iv) 649

Ans) The numbers 324 and 496 are divisible by 2 because they both the numbers have either 4 or 6 as their units place which satisfies the divisibility rule of 2.

The numbers ~~49~~ 523 and 649 are not divisible by 2 because they have either 3 or 9 as their units place which doesn't satisfies the divisibility rule of 2.

2. Find which of the following numbers are divisible by 4:

i) 222

ii) 532

iii) 678

iv) 9232

Ans) The numbers 532 and 9232 are divisible by 4 because both the number's ones digit and tens digit is divisible by 4 which satisfies the divisibility rule of 4.

The numbers 222 and 678 are not divisible by 4 because both the number's ones digit and tens digit is not divisible by 4 which doesn't satisfies the divisibility rule of 4.

4. Find which of the following numbers are divisible by 3:

i) 221

ii) 543

iii) 284924968 28492

iv) 92349

Ans → The numbers 543 and 92349 are divisible by 3 because both the number's sum of digits is divisible by 3 which satisfies the divisibility rule of 3.

The numbers 221 and 28492 are not divisible by 3 because both the number's sum of digits is not divisible by 3 which satisfies divisibility rule of 3.

5. Find which of the following numbers are divisible by 9:

i) 1332

ii) 53247

iii) 4968

iv) 200314

Ans → The numbers 1332 and 4968 are divisible by 9 because both the number's sum of digits is divisible by 9 which satisfies divisibility by 9.

The numbers 53247 and 200314 are not divisible by 9 because the number's sum of digits is not divisible by 9 which doesn't satisfies divisibility rule of 9.

6. Find which of the following numbers are divisible by 6:

i) 324

ii) 2010

iii) 33278

iv) 15505

Ans → The numbers 324 and 2010 are divisible by 6 because both the numbers are divisible by 2 and 3 which satisfies the divisibility <sup>rule</sup> of 6.

The numbers 33278 and 15505 are <sup>not</sup> divisible by 6 because both the numbers are not divisible by 2 and 3 which doesn't satisfies the divisibility rule of 6.

7. Find which of the following numbers are divisible by 5:

i) 5080

ii) 66666

iii) 755

iv) 9207

Ans → The numbers 5080 and 755 are divisible by 5 because both the numbers have 0 or 5 as units place which satisfies the divisibility rule of 5.

The number 66666 and 9207 are not divisible by 5 because both the numbers don't have 0 or 5 as units place which satisfies the divisibility rule of 5.

which of

8. Find, the following numbers are divisible by 10:

i) 9990

ii) 0

iii) 847

iv) 8976

Ans → The number 9990 is divisible by 10 because it has 0 as the units place which satisfies the divisibility by rule of 10.

H.W

3. Find which of the the following numbers are divisible by 8:

i) 324

ii) 2536

iii) 92760

iv) 444320

divisible by 8

Ans: The numbers 2536, 92760 and 444320 are, because the 'hundred's, ten's and one's digit is divisible by 8 which satisfies the divisibility rule of 8.

The number 324 is not divisible ~~is~~ by 8 because the 'hundred's, ten's and one's digit is <sup>not</sup> divisible by 8 which doesn't satisfies the divisibility rule of 8.

9. Find which of the following numbers are divisible by 11.

- i) 5910
- ii) 68,717
- iii) 3882
- iv) 10857

Ans → The numbers 5910, 68,717 and 10857 are divisible by 11 because the ~~sum~~ difference of their sum of even digits and sum of odd digits is divisible by 11 which satisfies the ~~at~~ divisibility rule of 11.

not

The number 3882 are ~~not~~ divisible by 11 because the difference of the sum of even digits and sum of odd digits which is not ~~is~~ divisible by 11 which doesnot satisfies the divisibility rule of 11.

11: i) 64M3

Ans → If the sum of digits of a number is divisible by 3 then the number ~~itself~~ itself is divisible by 3.

$$\begin{aligned} \text{The sum of digits} &= 6 + 4 + 3 + M \\ &= 13 + M \end{aligned}$$

The nearest ~~nu~~ The nearest number of 13 which is divisible by 3 is 15.

So, to find the required whole number is  $15 - 13 = 2$

So,  $M = 2$

The number is 6423.

ii) 46M46

If

Ans  $\Rightarrow$  If the sum of digits of a number is divisible by 3 then the number is divisible by 3.

$$\begin{aligned} \text{The sum of digits} &= 4+6+4+6+M \\ &= 20+M \end{aligned}$$

The nearest number of ~~13~~<sup>20</sup> which is divisible <sup>by</sup> 3 is 21.

So, to find the required whole number is

$$21 - 20 = 1$$

$$\text{So, } M = 1$$

The number <sup>is</sup> 46146.

iii) 27M53

Ans  $\Rightarrow$  If the sum of digits of a number is divisible by 10 then the number is divisible by 3.

$$\begin{aligned} \text{The sum of digits} &= 2+7+5+3+M \\ &= 17+M \end{aligned}$$

The nearest number of 17 which is divisible by 3 is 18.

So, to find the required whole number is

$$18 - 17 = 1$$

$$\text{So, } M = 1$$

The number is 27153.

12. i) 76 M 91

Ans) If the sum of three digits is divisible by 9 then the number is divisible by 9.

$$\begin{aligned} \text{The sum of digits} &= 7+6+9+1+M \\ &= 23+M \end{aligned}$$

The nearest number of 23 divisible by 9 is 27.

So, the required whole number is

$$27 - 23 = 4$$

$$\text{So, } M = 4$$

The number is 76491.

ii) 77548 M

Ans) If the sum of digits is divisible by 9 then the number is divisible by 9.

$$\begin{aligned} \text{The sum of digits} &= 7+7+5+4+8+M \\ &= 31+M \end{aligned}$$

The nearest number of 31 divisible by 9 is 36.

So, the required whole number is

$$36 - 31 = 5$$

$$\text{So, } M = 5$$

The number is 775485.



iii) 627M9

Ans → If the sum of digits is divisible by 9 then the number is divisible by 9.

$$\begin{aligned} \text{The sum of digits} &= 6+2+7+9+M \\ &= 24+M \end{aligned}$$

The nearest number of 24 divisible by 9 is 27.

So, the required whole number is

$$27-24=3$$

$$\text{So, } M=3$$

The number is 62739.

14. i) If a number is divisible by 4, it is divisible by 8. False

ii) If a number is a factor of 16 and 24, it is a factor of 48. True

iii) If a number is divisible by 18, it is divisible by 3 and 6. ~~False~~ True

iv) If a divides both b and c completely, then a divides i)  $a+b$  ii)  $a-b$  also completely. True

10. Find which of the following numbers are divisible by 15:

- i) 960
- ii) 8295
- iii) 10243
- iv) 5013

Ans → The numbers 960 and 8295 are divisible by 15 because the sum of digits is divisible by 3 which makes them divisible and the unit's place is 0 or 5 which makes them divisible by 5 and satisfies the divisibility rule of 15.

not

The numbers 10243 and 5013 are not divisible by 15 because the unit's place is not either 0 or 5 which makes them not divisible by 5 and does not satisfy the divisibility rule of 15.

13. i) 39M2

Ans → The difference of sum of odd digits and even digits is ~~11~~ or 0 multiple of 11 or 0. odd

$$\begin{aligned} \text{Sum of odd digits} &= 9 + 2 \\ &= 11 \end{aligned}$$

$$\text{Sum of even digits} = 3 + M$$

$$11 - (3 + M) = 8 - M$$

If it is 0 or multiple 11.

$$8 - M = 0$$

$$M = 8$$

The ~~no~~ number is 3982.

ii) 3M422

Ans → The difference of sum of even digits and odd digits is multiple of 11 or 0.

$$\begin{aligned} \text{Sum of odd digits} &= 3+4+2 \\ &= 9 \end{aligned}$$

$$\text{Sum of even digits} = 2+M$$

$$9 - (2+M) = 7 - M$$

If it is 0 or multiple of 11

$$7 - M = 0$$

$$M = 7$$

The number is 37422

iii) 70975M

Ans → The difference of sum of even digits and odd digits is multiple of 11 or 0.

$$\begin{aligned} \text{Sum of odd digits} &= 7+0+M \\ &= 7+M \end{aligned}$$

$$\begin{aligned} \text{Sum of even digits} &= 5+9+7 \\ &= 21 \end{aligned}$$

$$21 - (7+M) = 14 - M$$

If it is multiple of 11 or 0.

$$14 - M = 11$$

$$M = 3$$

The number is 709753.

iv) 14M75

Ans → The difference of sum of odd digits and even digits is multiple of 11 or 0.

$$\begin{aligned} \text{Sum of odd digits} &= 5 + 1 + M \\ &= 6 + M \end{aligned}$$

$$\begin{aligned} \text{Sum of even digits} &= 7 + 4 \\ &= 11 \end{aligned}$$

$$11 - (6 + M) = 5 - M$$

If it is multiple of 11 or 0.

$$5 - M = 0$$

$$M = 5$$

The number is 14575.