

Holiday Homework

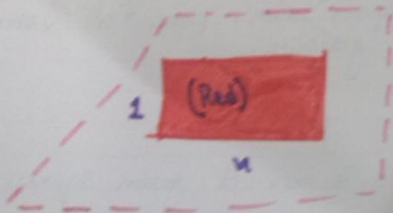
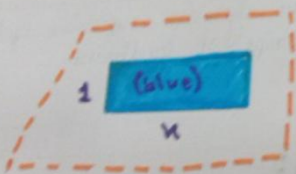
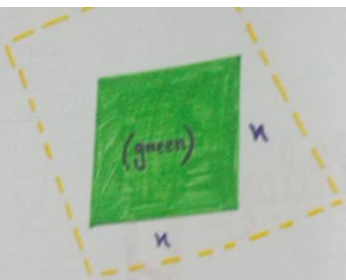
- To multiply two linear algebraic expressions (polynomials) using different strips of cardboard.
- Answers:

Materials Required:

cardboard sheets (blue, green and red), geometry box, white sheets of paper, ruler, pair of ~~scissors~~ scissors and glue stick.

Procedure:

- (1) Every x^2 represents the area of green square of side x - units.
Therefore, to represent $2x^2$, we use two green squares of side x units each. Take x as 3 units.



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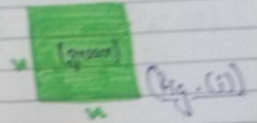
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- (2) Every x represents area of a blue rectangular strip of dimensions $(1 \times x)$. For $3x$, use 3 blue strips each of dimensions $(1 \times x)$.
- (3) Every $(-x)$ is represented by a ~~blue~~ red rectangular strip of dimensions $(1 \times x)$ for $(-3x)$, use 3 red strips each of dimensions $(1 \times x)$.

Case 1:

Let us consider the expression $x^2 + 5x + 6$ which is of the form $(ax^2 + bx + c)$.

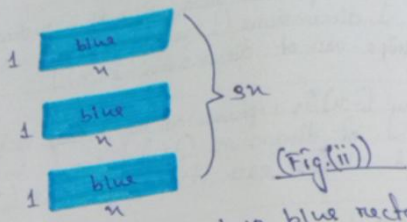
- (4) The polynomial $x^2 + 5x + 6$ can be factorized as $(x+3)(x+2)$.



- (5) To present x^2 , draw a green square of x units [Fig. 1].

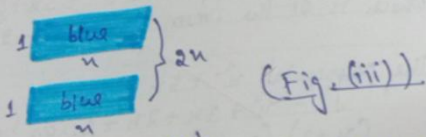
- (6) To represent $3x$, draw three rectangular strips of blue colour of dimensions $(1 \times x)$ [Fig. 11].

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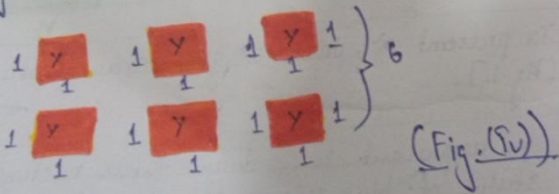
(Fig. (ii))

(4) To represent $2n$, draw two blue rectangular strips of dimensions $(1 \times n)$ [Fig. (iii)].



(Fig. (iii))

(5) To represent 6, draw 6 red unit squares [Fig. (iv)].

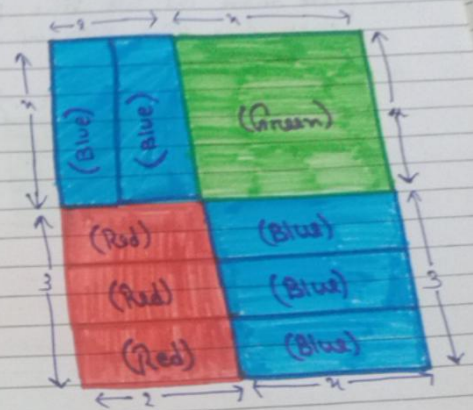


(Fig. (iv))

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(7) when we show the strips together in (Fig. v)



Case II:

consider the expression $x^2 - 5x + 6$ and factorize it $x^2 - 3x - 2x + 6 = (x-3)(x-2)$.

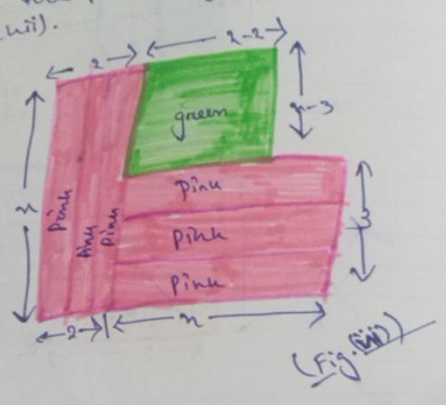
(1) draw a green square of dimension $x \times x$ (say 8 units).

(2) To represent 6, cut six red squares of dimension 1 unit.

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- (3) to repeat $-5n \{(-3n) + (-2n)\}$, cut five pink strips of dimension $(1 \times n)$.
- (4) Paste down the all five pink strips over the pink polygon as shown in fig. (vii).



Observation and calculation :

case I

$$\begin{aligned}
 & n^2 + 5n + 6 \\
 \text{area of 5 blue strips} &= 5n = 2n + 3n \\
 \text{area of green square} &= n^2 \\
 \text{area of 6 red unit squares} &= 6 \\
 \text{Total area of rectangle obtained} &= n^2 + 3n + 2n + 6 \\
 &= n^2 + 5n + 6 = (n+3)(n+2)
 \end{aligned}$$

case II

$$\begin{aligned}
 & n^2 - 5n + 6 \\
 \text{area of 5 blue red pink rectangular strips} &= 5n \\
 \text{area of green square} &= n^2 \\
 \text{area of 6 red unit squares} &= 6 \\
 \text{total area of green rectangle obtained after pasting all strips} &= (n-2)(n-3) \\
 &= n^2 - 2n - 3n + 6 \\
 &= n^2 - 5n + 6 \\
 \therefore n^2 - 5n + 6 &= (n-3)(n-2)
 \end{aligned}$$

Result :

→ We have verified the factors of two quadratic polynomials geometrically by paper cutting and pasting.