

Exercise 6.4

1. $\triangle ABC \sim \triangle DEF$

Mc know $\triangle ABC \sim \triangle DEF$

So, $\frac{AB}{DE} = \frac{BC}{EF} = \frac{CA}{FD}$

$\Rightarrow \frac{AC (\triangle ABC)}{AC (\triangle DEF)} = \left(\frac{BC}{EF}\right)^2$

$\Rightarrow \frac{64}{121} = \left(\frac{BC}{15.4}\right)^2 = 3$

$\Rightarrow \sqrt{121 \cdot BC^2} = 3 \cdot 15.4$

$BC^2 = \frac{15 \cdot 178.24}{121} = 125.44$

$BC = \sqrt{125.44} = 11.2 \text{ cm}$

2. In $\triangle AOB$ and $\triangle COD$

$\angle AOB = \angle COD$ [V.O.A]

$\therefore \triangle AOB \sim \triangle COD$ [AA]

$\therefore \frac{AO}{CO} = \frac{OB}{OD}$

$\Rightarrow \frac{(2CO)^2}{CD^2} = \frac{4CD^2}{CD^2} = 4$

Q7. $\triangle AOB \sim \triangle COD$ A:2

3 Draw AL ⊥ BC and DM ⊥ BC

∴ ∠ALO = ∠DMO
∠AOL = ∠DOM

(Each of 90°)
(Vertically opp
opposite angles)
(By AA similarity)

∴ ∆ALO ~ ∆DMO

⇒ $\frac{AL}{DM} = \frac{AO}{DO}$ (1)

Now $\frac{ar(\triangle ABC)}{ar(\triangle DBC)} = \frac{\frac{1}{2} \times BC \times AL}{\frac{1}{2} \times BC \times DM}$

$= \frac{AL}{DM} = \frac{AO}{DO}$

(From (1))

Hence proved

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Given: Consider ∆ABC ~ ∆DEF
and ar ∆ABC = ar ∆DEF
To prove: ∆ABC ≅ ∆DEF

proof: $\frac{ar \triangle ABC}{ar \triangle DEF} = \frac{AB^2}{DE^2} = \frac{AC^2}{DF^2} = \frac{BC^2}{EF^2}$

$1 = \frac{AB^2}{DE^2} = \frac{AC^2}{DF^2} = \frac{BC^2}{EF^2}$ (∵ ar ∆ABC = ar ∆DEF)

⇒ $AB^2 = DE^2, AC^2 = DF^2, BC^2 = EF^2$
 $AB = DE, AC = DF, BC = EF$
∆ABC ≅ ∆DEF

(By SSS
Congruence
rule)