

Home Assignment:-

Momentum, Force as rate of change of momentum, the connection between Newton's first law and second law.

Q. A motor car of mass 1200 kg is moving along a straight line with

1. given

Mass of the motor car, $m = 1200 \text{ kg}$

Initial velocity of the motor car, $u = 90 \text{ km/h}$
 $= 25 \text{ m/s}$

Final velocity of the motor car $v = 18 \text{ km/h}$
 $= 5 \text{ m/s}$

Time $= 4 \text{ m/s}$

$$\Delta P = mv - mu$$

$$\Delta P = 1200 \times 5 - 1200 \times 25 = -24000 \text{ kg m/s}$$

$$v = u + at$$

$$5 = 25 + a \times 4$$

$$\Rightarrow a = -5 \text{ m/s}^2$$

(-ve shows retardation)

$$|F| = m|a| = 1200 \times 5 = 6000 \text{ N}$$

2 - Mass $m = 100 \text{ kg}$

Time interval $\Delta t = 10 \text{ s}$

(i) Distance traveled in next 5 seconds
 $d = 100 \text{ m}$.

Thus velocity acquired by body; $v = \frac{d}{t} = \frac{100}{5} = 20 \text{ m/s}$

(ii) Accⁿ produced by the force,
 $a = \frac{v}{\Delta t} = \frac{20}{10} = 2 \text{ m/s}^2$

(iii) magnitude of force

$$F = ma$$

$$100 \text{ kg} \times 2 \text{ m/s}^2 = 200 \text{ N}$$

3 - m - mass of object, u = initial velocity
 v = final ~~we~~ velocity, t = time interval
 F = constant force

$P_1 = mu =$ initial momentum

$P_2 = mv =$ final momentum of obj^o.

$$\Delta P = P_2 - P_1 = mv - mu = m(v-u)$$

The rate of change of $P = m(v-u)$

$$F \propto \frac{m(v-u)}{t}$$

$$F = k \frac{m(v-u)}{t}$$

$$F = kma$$

The unit of force is chosen so that the value of k becomes 1 so, $F = ma$

① Newton's 1st law of motion states that ^{an} obj. in rest will ~~now~~ remain in rest until ~~&~~ unless a force acts upon it while, the 2nd law of motion states that the acclⁿ (a) of a body is dependant on mass (m) & the force (F) acting upon that body so we can say that the force is the product of mass & acclⁿ. Ac to 2nd law, $F = ma$,
Ac to the 1st law

$$F = 0, \text{ if mass is const.}$$

$$F = a$$

$a = 0$, so here we can say that when force is equal to 0 acclⁿ is also 0 or when the obj. is at rest or in motion it will remain ~~so~~ in rest & motion respectively until & unless a force ~~is~~ acts upon it.

- 5
- a) Firing of bullet, Recoil
 - b) Action - hammering a nail, Reaction - the nail exerts equal force on hammer.
 - c) Book exerts force on the table (gravity) the table exerts equal force on the book.
 - d- The fuel burns & releases large amt. of force in opposite direction of ~~momentum~~ movement of rocket, the burnt fuel exerts equal pressure on the rocket & rocket moves in upward direction.
 - e- Action - the person exerts force on the floor.
Reaction - the floor exerts equal force on the legs of person due to which he moves forward.
 - f- Action - the train collides to stationary train by applying large amt. of force due to its large P.

6a) - A hose which is ejecting large amts of water at a high velocity, then a reaction force is applied to us in the backward direction. This is because of Newton's 3rd law of motion.

6(b) Action & Reaction don't cancel each other out ^{OH} of $F_{net} \neq 0$ because the action & reaction are applied to different bodies instead of 1
 $\therefore F_{net} \neq 0$

7@ According to Newton's 3rd law, to every action, there is an equal & opposite reaction. When we jump on the shore from boat we are applying force on the boat in the opposite direction in order to move forward and hence the boat moves in the opposite direction.

8(b) As the air released moves in downward direction, the equal opposite force on the the balloon. the equal-opposite reaction of downward going air pushes the balloon upwards and vice versa.

8@ According to Newton's 3rd law of motion, the gas expelled applies a opposite force on the rocket's body & hence propelling it.

9(b) Yes in the direction opposite to that of the

gas expelled.

(c) Acclⁿ (a) is $2a$ — (i)

$$F = ma$$

But $a = 2a$ from (i)

Hence $F = m \times 2a$

$$a = \frac{F}{2m}$$

(d) - Mass is twiced (m) = $2m$ — (i)

a remains same.

$$F = ma$$

But $m = 2m$ from (i)

$$F = \frac{2m \times a}{2m}$$

(e) Mass (m) & acclⁿ (a) are doubled $\Rightarrow m = 2m$
& $a = 2a$

$$F = ma$$

$$F = 2a \times 2m$$

$$a = \frac{F}{4m}$$

For a exerted on rocket by gas

$$F = ma$$

$$F = 2m \times 2a = 4ma \text{ — (ii)}$$

Force in original situation = $F = ma$ — (iii)

From (i) & (ii) force exerted (ii) is 4 times more than in (iii)