

### Exercise 6.3

- 4) In Fig 6.42, if the lines  $PA$  and  $RS$  intersect at point  $J$ , such that  $\angle PRJ = 40^\circ$ ,  $\angle RPJ = 95^\circ$  and  $\angle JSQ = 75^\circ$ , find  $\angle QJS$ .

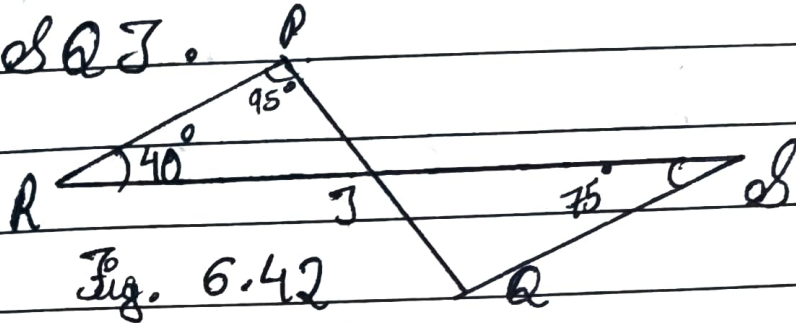


Fig. 6.42

ans) Consider triangle  $PRJ$ .

$$\angle PRJ + \angle RPJ + \angle PJR = 180^\circ$$

$$\text{So, } \angle PJR = 45^\circ$$

Now  $\angle PJR$  will be equal to  $\angle JQA$  as they are vertically opposite angles.

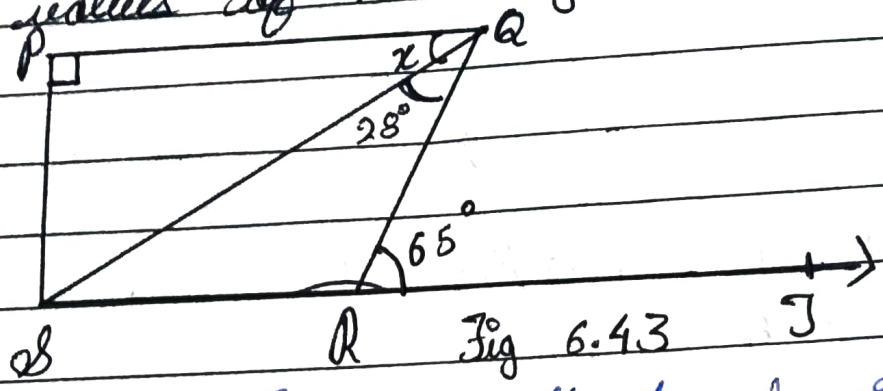
$$\text{So, } \angle PJR = \angle JQA = 45^\circ$$

Again, in triangle  $JSQ$ .

$$\angle JSQ + \angle PJR + \angle QJS = 180^\circ$$

$$\text{So, } \angle QJS = 60^\circ$$

5) In Fig. 6.43, if  $PQ \perp PS$ ,  $PQ \parallel SR$ ,  $\angle QR = 28^\circ$  and  $\angle RJS = 65^\circ$ , then find the values of  $x$  and  $y$ .



ans)  $x + \angle QRS = \angle RJS$  (As they are alternate angles since  $QR$  is transversal)  
 so,  $x + 28^\circ = 65^\circ$   
 $\therefore x = 37^\circ$

It is also known that alternate interior angles are same  
 so,  $\angle QRS = x = 37^\circ$

Also, Now,  
 $\angle QRS + \angle RJS = 180^\circ$  (As they are a linear pair)  
 or,  $\angle QRS + 65^\circ = 180^\circ$   
 $\therefore \angle QRS = 115^\circ$

Now, we know that the sum of the angles in a quadrilateral is  $360^\circ$ . So,  $\angle PQR + \angle R + \angle Q + \angle S = 360^\circ$

Putting their respective values, we get,  
 $\angle S = 360^\circ - 90^\circ - 65^\circ - 115^\circ$

In  $\triangle SPQ$   
 $\angle SPQ + x + y = 180^\circ$   
 $90^\circ + 37^\circ + y = 180^\circ$   
 $y = 180^\circ - 127^\circ = 53^\circ$   
 $\therefore y = 53^\circ$