

Ex-9cc'

i) 352

ans) 352 is divisible by 2 as its unit digit is 2, which is an even number.

ii) 523

ans) 523 is not divisible by 2 as its unit digit is 3, which is an odd number.

iii) 496

ans) 496 is divisible by 2 as its unit digit is 6, which is an even number.

iv) 649

ans) 649 is not divisible by 2 as its unit digit is 9, which is an odd number.

v) 222

ans) 222 is not divisible by 4 as its last ^{two} digits are form 22, which is not divisible by 4.

vi) 532

ans) 532 is divisible by 4 as its last two digits form 32 which is divisible by 4.
($32 \div 4 = 8$)

vii) 678

ans) 678 is not divisible by 4 as it's last two digits form 78, which is not divisible by 4.

ii) 9282

ans) 9282 is not divisible by 4. ^{As} since its last two digits form 82, which is divisible by 4. $(82 \div 4 = 8)$

3) i) 324

ans) ~~324 \div 8~~ 324 is not divisible by 8 as it's last three digits is not divisible by 8.

ii) 2536

ans) 2536 is divisible by 8 as it's last three digits is divisible by 8. $2536 \div 8 = 317$

iii) 92760

ans) ~~92760~~ 2760 is divisible by 8 as it's last three digit is divisible by 8. $760 \div 8 = 95$

iv) 444320

ans) 444320 is divisible by 8 as it's last three digit is divisible by 8. $320 \div 8 = 40$

4) i) 221

ans) For a number to be divisible by 3, sum of the digits must be divisible by 3. Sum of the digits = $2 + 2 + 1 = 5$. Since 5 is not divisible by 3. Hence, 221 is not divisible by 3.

ii) 543

ans) For a number to be divisible by 3, sum of digits must be divisible by 3. Sum of digits = $5 + 4 + 3 = 12$. Since, 12 is divisible by 3. Hence, 543 is divisible by 3.

ii) 28492

ans) For a number to be divisible by 3, sum of digits must be divisible by 3. Sum of digits = $2 + 8 + 4 + 9 + 2 = 25$. Since 25 is not divisible by 3. Hence, 28492 is not divisible by 3.

iv) 92349

ans) For a number to be divisible by 3, sum of digits must be divisible by 3. Sum of digits = $9 + 2 + 3 + 4 + 9 = 27$. Since 27 is divisible by 3. Hence, 92349 is divisible by 3.

5) i) 1332

ans) For a number to be divisible by 9, sum of digits must be divisible by 9. Sum of digits = $1 + 3 + 3 + 2 = 9$. Since, 9 is divisible by 9. Hence, 1332 is divisible by 9.

ii) 53247

ans) For a number to be divisible by 9, sum of digits must be divisible by 9. Sum of digits = $5 + 3 + 2 + 4 + 7 = 21$. Since 21 is ^{not} divisible by 9. Hence, 53247 is not divisible by 9.

ii) 4968

ans) For a number to be divisible by 9, sum of digits must be divisible by 9. Sum of digits = $4 + 9 + 8 + 8 = 27$. Since 27 is divisible by 9. Hence, 4968 is divisible by 9.

iv) 200314

ans) For a number to be divisible by 9, sum of digits must be divisible by 9. Sum of digits = $2 + 3 + 1 + 4 = 10$. Since 10 is ^{NOT} divisible by 9. Hence, 200314 is not divisible by 9.

vi) 324

ans) Sum of digits = $3 + 2 + 4 = 9$, which is divisible by 3. Unit digit is 4, which is even. \therefore 324 is divisible by 6.

ii) 2010

ans) Sum of digits = $2 + 1 = 3$, which is divisible by 3. Unit digit is 0. So, 2010 is divisible by 6.

ii) 33278

ans) Sum of digits = $3 + 3 + 2 + 7 + 8 = 23$, which is not divisible by 3. ~~It is~~ So, 33278 is not divisible by 6.

iv) 15505

ans) Sum of digits = $1 + 5 + 5 + 5 = 16$, which is not divisible by 3. Its unit digit is 5. So, 15505 is not divisible by 6.

vii) 5080

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ans) For a number to be divisible by 5, unit digit must be 0 or 5.
Here, unit digit is 0.
 \therefore 5080 is divisible by 5.

ii) 66666

ans) For a number to be divisible by 5, unit digit must be 0 or 5.
Here, unit digit is 6.
 \therefore 66666 is not divisible by 5.

iii) 755

ans) For a number to be divisible by 5, unit digit must be 0 or 5.
Here, unit digit is 5.
 \therefore 755 is divisible by 5.

iv) 9207

ans) For a number to be divisible by 5, unit digit must be 0 or 5.
Here, unit digit is 7.
 \therefore 9207 is not divisible by 5.

8) 9990

ans) For a number to be divisible by 10, unit digit must be 0.
Here, unit digit is 0.
 \therefore 9990 is divisible by 10.

ii) 0

ans) For a number to be divisible by 10, unit digit must be 0.
Here, unit digit is 0.
 \therefore 0 is divisible by 10.

8) ii) 847

ans) For a number to be divisible by 10 the unit digit must be 0. Here unit digit is 7. Hence, 847 is not divisible by 10.

iv) 8976

ans) For a number to be divisible by 10, the unit digit must be 0. Here unit digit is 6. Hence, 8976 is not divisible by 10.

9) i) 5918

ans) Sum of ~~odd~~ even digits = $5 + 1 = 6$
Sum of even digits = $9 + 8 = 17$
Their difference = $17 - 6 = 11$
 $\therefore 5918$ is divisible by 11.

ii) 68717

ans) Sum of odd digits = $6 + 7 + 7 = 20$
Sum of even digits = $8 + 1 = 9$
Their difference = $20 - 9 = 11$
 $\therefore 68717$ is divisible by 11.

iii) 3882

ans) Sum of odd digits = $3 + 8 = 11$
Sum of even digits = $8 + 2 = 10$
Their difference = $11 - 10 = 1$
 $\therefore 3882$ is not divisible by 11.

iv) 10857

ans) Sum of odd digits = $1 + 8 + 7 = 16$
Sum of even digits = 5
Their difference = $16 - 5 = 11$
 $\therefore 10857$ is divisible by 11.

unit digit must not be divisible by 10.

unit digit must be divisible by 10.

10) i) 960
ans) Sum of digits = $9+6+0=15$. So, it is divisible by 3.
It's unit digit is 0. So, it is also divisible by 5.
So, it is divisible by 15.

ii) 8295
ans) Sum of digits = $8+2+9+5=24$. So, it is divisible by 3.
It's unit digit is 5. So, it is also divisible by 5.
So, it is divisible by 15.

iii) 10243
ans) Sum of digits = $1+0+2+4+3=10$. So, it is ^{not} divisible by 3.
It's unit digit is 3. So, it is not divisible by 5.
So, it is not divisible by 15.

iv) 5013
ans) Sum of digits = $5+0+1+3=9$. So, it is divisible by 3.
It's unit digit is 3. So, it is not divisible by 5.
So, it is not divisible by 15.

1) i) 64 M 3

ans) $6+4+M+3=13+M$
The number that is divisible by 3 after 13 = 15
So, $M = 15 - 13$
 $= 2$

∴ $M = 2$

ii) 46 M 46

ans) $4+6+M+4+6=20+M$
The number that is divisible by 3 next to 20 = 21.
So, $M = 21 - 20 = 1$

∴ $M = 1$

iii) $27M53$

ans) $2+7+M+5+3=17+M$

The number that is divisible by 3 next to $17=18$

So, $M=18-17$
 $=1$

$\therefore M=1$

ii) $76M91$

ans) $7+6+9+1=23+M$

The number that is divisible by 9 next to $23=27$

So, $M=27-23$
 $=4$

$\therefore M=4$

ii) $77548M$

ans) $7+7+5+4+8=31+M$

The number that is divisible by 9 next to $31=36$

So, $M=36-31$
 $=5$

$\therefore M=5$

ii) $627M9$

ans) $6+2+7+M+9=24+M$

The number that is divisible by 9 next to $24=27$

So, $M=27-24$
 $=3$

$\therefore M=3$

13) i) 39M2

ans) Sum of odd digits = $3 + M$

Sum of even digits = $9 + 2 = 11$

Difference = $11 - (3 + M)$

$11 - 3 - M = 0$

$= 8 - M = 0$

$\therefore M = 8$

ii) 3M422

ans) Sum of odd digits = $3 + 4 + 2 = 9$

Sum of even digits = $M + 2$

Difference = $9 - (2 + M)$

$9 - 2 - M = 0$

$= 7 - M = 0$

$\therefore M = 7$

iii) 70975M

ans) Sum of odd digits = $7 + 9 + 5 = 21$

Sum of even digits = $0 + 7 + M = 7 + M$

Difference = $21 - (7 + M)$

$21 - 7 - M = 0$ $21 = 7 + M$ $21 = (7 + M)$

$= 14 - M$ So, $M = 14$ $M = 14$

Since, M cannot be two digit no. $\therefore M = 14 - 11 = 3$

iv) 14M75

ans) Sum of odd digits = $1 + M + 5 = 6 + M$

Sum of even digits = $4 + 7 = 11$

Difference = $11 - (6 + M)$

$11 - 6 - M = 0$

$= 5 - M = 0$

$\therefore M = 5$

14) i) If a number is divisible by 4, it is divisible by 8.
ans) False.

ii) If a number is a factor of 16 and 24, it is a factor of 48.
ans) True.

iii) If a number is divisible by 18, it is divisible by 3 and 6.
ans) True.

iv) If a divides both b and c completely, then a divides (i) $a + b$ (ii) $a - b$ also completely.
ans) True.