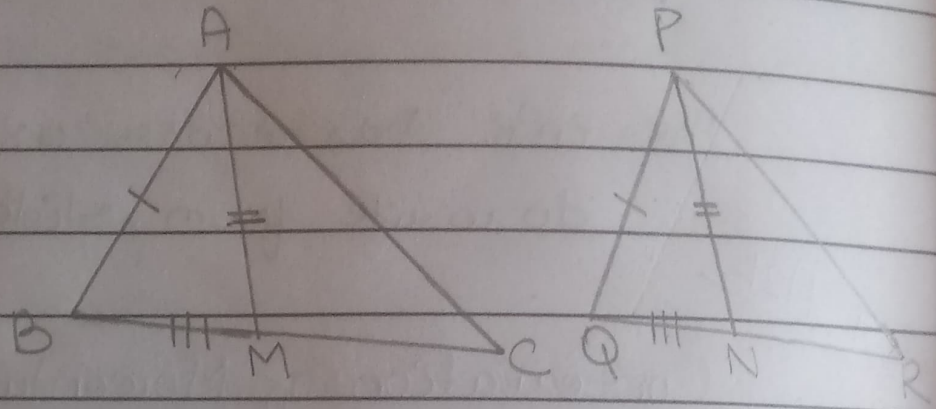


3. Given:

$$AB = PQ \quad \text{--- (1)}$$

$$BC = QR \quad \text{--- (2)}$$

$$AM = PN \quad \text{--- (3)}$$



Also, AM is the median of  $\triangle ABC$

$$\text{So, } BM = CM = \frac{1}{2} BC$$

Also, PN is the median of  $\triangle PQR$

$$\text{So, } QN = RN = \frac{1}{2} QR$$

To prove:  $\triangle ABM \cong \triangle PQN$

Proof:

Since

$$BC = QR$$

$$\frac{1}{2} BC = \frac{1}{2} QR$$

$$BM = QN \quad - (4)$$

In  $\triangle ABM$  &  $\triangle PQN$

$$AB = PQ \quad (\text{Given}) \quad (\text{from (1)})$$

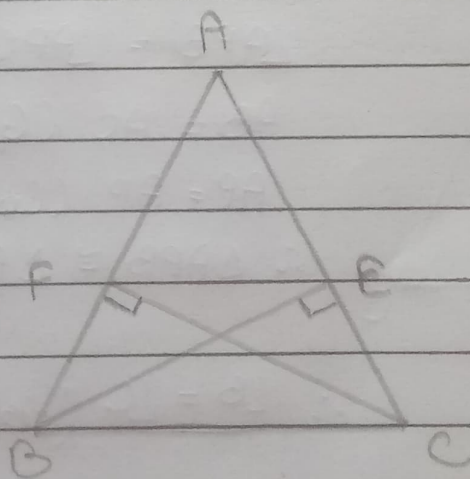
$$AM = PN \quad (\text{from (3)})$$

$$BM = QN \quad (\text{from (4)})$$

$$BM = QN \quad (\text{from (4)})$$

So,  $\triangle ABM \cong \triangle PQN$  (SSS congruence rule)

4.



Given:

Given BE is a  
altitude,

$$\text{So, } \angle AEB = \angle CEB = 90^\circ \quad (1)$$

Also, CF is altitude,

$$\text{So, } \angle AFC = \angle BFC = 90^\circ \quad (2)$$

$$\text{Also, } BE = CF \quad (3)$$

To prove:  $\triangle ABC$  is isosceles

~~Proof~~

Proof:

In  $\triangle BCF$  and  $\triangle CBE$

$$\angle BFC = \angle CEB = 90^\circ \quad (\text{Both } 90^\circ)$$

$$BC = CB \text{ (Common)}$$

$$FC = EB \text{ (From (3))}$$

$$\triangle BCF \cong \triangle CBE \text{ (RHS congruence rule)}$$

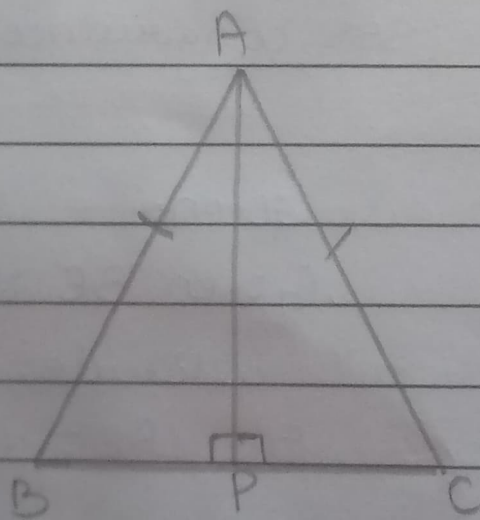
$$\therefore \angle FBC = \angle ECB \text{ (CPCT)}$$

$$\text{So, } \angle ABC = \angle ACB$$

$$AB = AC \text{ (side opposite to equal angles is equal)}$$

So,  $\triangle ABC$  is an isosceles triangle

5.



In  $\triangle APB$  and  $\triangle APC$ .

$$\angle APB = \angle APC \text{ (each } 90^\circ)$$

$$AB = AC \text{ (Given)}$$

$$AP = AP \text{ (Common)}$$

$$\therefore \triangle APB \cong \triangle APC \text{ (Using RHS congruence rule)}$$

$$\therefore \angle B = \angle C \text{ (By using CPCT)}$$