

7.1

6.)

So. l

$$\angle BAD = \angle EAC \text{ [Given]}$$

$$\Rightarrow \angle BAD + \angle DAC = \angle EAC + \angle DAC$$

$$\Rightarrow \angle BAC = \angle EAC \text{ [Adding } \angle DAC \text{ to both sides]}$$

Now in  $\triangle ABC$  and  $\triangle ADE$

$$AB = AD$$

$$AC = AE$$

$$\angle BAC = \angle DAE$$

$$\triangle ABC \cong \triangle ADE \text{ [By SAS congruence]}$$

$$BC = DE \text{ (CPCT)}$$

7.) In  $\triangle DAP$  and  $\triangle EPB$  we have

$AP = BP$  [P is the mid point of line segment AB]

$$\angle BAD = \angle ABE$$

$$\angle EPB = \angle DPA$$

$$\begin{aligned} \angle EPA &= \angle DPB = \angle EPA + \angle DPE \\ &= \angle DPB + \angle DPE \end{aligned}$$

$$\therefore \triangle DPA \cong \triangle EPB$$

$$\Rightarrow AD = BE \text{ By (CPCT)}$$

8. In  $\triangle BMD$  and  $\triangle DMC$  we have

$$(i) \quad DM = CM \\ BM = AM$$

$$\angle DMB = \angle AMC$$

[Vertically opposite angle]

$$\therefore \triangle AMC \cong \triangle BMD \text{ [By SAS]}$$

$$(ii) \quad AC \parallel BD$$

$$\Rightarrow \angle DBC + \angle ACB = 180^\circ$$

$$\angle DBC = 90^\circ$$

(iii) In  $\triangle DBC$  and  $\triangle ACB$ , we have

$$DB = AC$$

$$BC = BC$$

$$\angle DBC = \angle ACB$$

$$\therefore \triangle DBC \cong \triangle ACB$$

$$AB = CD$$

$$\Rightarrow \frac{1}{2} AB = \frac{1}{2} CD$$

$$\text{Hence } \frac{1}{2} AB = CM$$

11/07/21.



5. In  $\triangle APB$  and  $\triangle AQB$  we have  
 $\angle PAB = \angle QAB$   
[ $l$  is the bisector of  $\angle A$ ]

$$\angle APB = \angle AQB \quad [\text{Each} = 90^\circ]$$

$$AB = AB$$

$\therefore \triangle APB \cong \triangle AQB$  [By AAS congruence]

$$\text{Also, } BP = BQ \quad [\text{By CPCPT}]$$

i.e.  $B$  is equidistant from the arms of  $\angle A$ .