

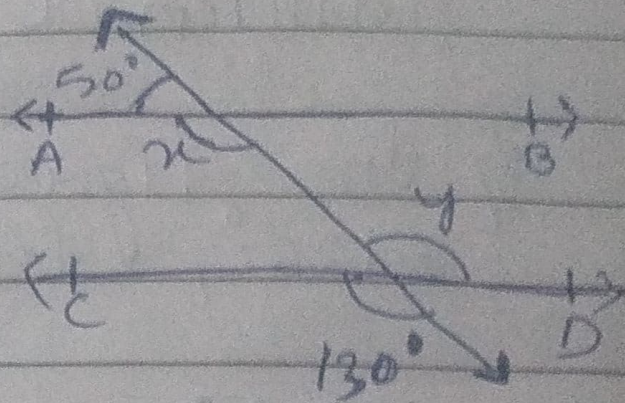
hw  
2/6/21 Exercise 6.2

→ In figure, 6.28, find the values of  $x$  and  $y$  and then show that  $AB \parallel CD$ .

$$50^\circ + x = 180^\circ \text{ (Linear pair)}$$

$$x = 180^\circ - 50^\circ$$

$$x = 130^\circ$$



Also,  $y = 130^\circ$  (Vertically opposite angles)

$\therefore x = y$  [But they are alternate angles] (AB)



2) In figure, if  $AB \parallel CD$ ,  $CD \parallel EF$  and  $\angle x = 35^\circ$ , find  $\angle y$ .

$\Rightarrow AB \parallel CD$   
 $CD \parallel EF$

$AB \parallel CD \parallel EF$

$\angle l = y$  (vertically opposite angles)

$CD \parallel EF$ .

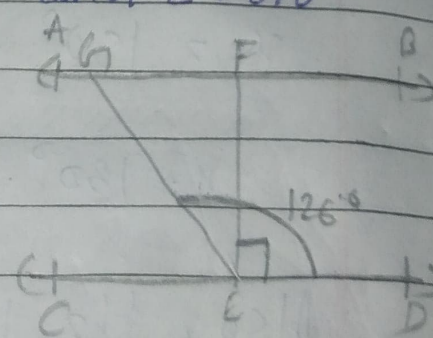
$\angle l + \angle z = 180^\circ$  (co-interior angle)

$$y + \angle z = 180^\circ$$

$$x = \angle z = 126$$

(alternate angles)

3) In figure, if  $AB \parallel CD$ ,  $EF \perp CD$  and  $\angle GED = 126^\circ$ , find  $\angle AGE$ ,  $\angle GEF$  and  $\angle FGE$ .



Now,

$AB \parallel CD$ ,  $GE$ 's transversal.

Hence,

$$\angle AGE = \angle GED$$

$$\angle FGE = 180^\circ - 126^\circ \text{ (Linear pair)}$$

$$= 54^\circ$$

$$\angle AGE = 126^\circ$$

$$\angle AGE + \angle FGE = 180^\circ$$

$$126^\circ + \angle FGE = 180^\circ$$

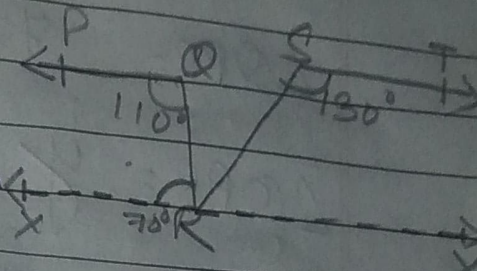


$$\angle GEF = 126^\circ - 90^\circ = 36^\circ$$

4) In Fig 6.31, if  $PQ \parallel ST$ ,  $\angle POR = 110^\circ$  and  $\angle RST = 130^\circ$ , find  $\angle QRS$ .

[Hint: Draw a line through point R.] parallel to ST

Given:  $PQ \parallel ST$



To draw a line  $XY \parallel ST$ , through

So,  $XY \parallel PQ$ , i.e.  $PQ \parallel ST \parallel XY$

$ST \parallel XY$

$$\begin{aligned} \angle 1 &= 180^\circ - 130^\circ \\ &= 50^\circ \end{aligned} \quad (\text{Co-interior angles})$$

$$\angle QRS = 180^\circ - (50^\circ + 70^\circ)$$

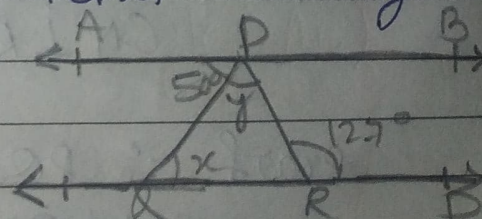
$$\angle QRS = 180^\circ - 120^\circ = 60^\circ$$

$$\begin{aligned} \angle 2 &= 180^\circ - 110^\circ \\ &= 70^\circ \end{aligned} \quad (\text{Co-interior angles})$$

$$\angle QRS = 60^\circ \quad (\text{Straight angle})$$

5) In the figure 6.32, if  $AB \parallel CD$ ,  $\angle APQ = 50^\circ$  and  $\angle PRD = 127^\circ$ , find  $x$  and  $y$ .

Given:  $\angle APQ = 50^\circ$   
 $\angle PRD = 127^\circ$





$$\angle APR = \angle PRD \quad (\text{Alternate angle})$$

$$\angle APQ + \angle QPR = 127^\circ \quad \angle APQ = \angle PQR$$

(Alternate angle)

$$50^\circ + \angle QPR = 127^\circ$$

$$\angle QPR = 127^\circ - 50^\circ \quad 50^\circ = 50^\circ$$

$$\angle QPR = 77^\circ \quad \text{then } x = 50^\circ$$

$$\angle QPR = y$$

$$\text{then } y = 77^\circ$$

$\therefore \therefore$  So, the value of  $x = 50^\circ$   
 $y = 77^\circ$

- ⑥ In figure 6.33, PQ and RS are two mirrors placed parallel to each other. An incident ray AB strikes the mirror PQ at B, the reflected ray moves along the path BC and strikes the mirror RS at C and again reflects back along CD. Prove that  $AB \parallel CD$ .

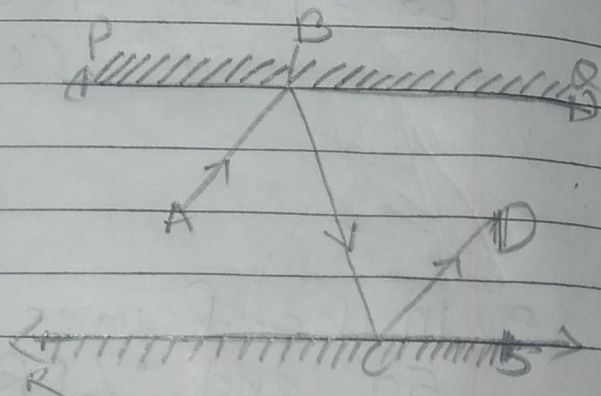
$\Rightarrow$  given  $\therefore PQ \parallel RS$

To prove  $\therefore AB \parallel CD$

Const  $\therefore BM \perp PQ$  and  
 $CN \perp RS$

Proof  $\therefore PQ \parallel RS$

$BM \perp PQ$ ;  $CN \perp RS$



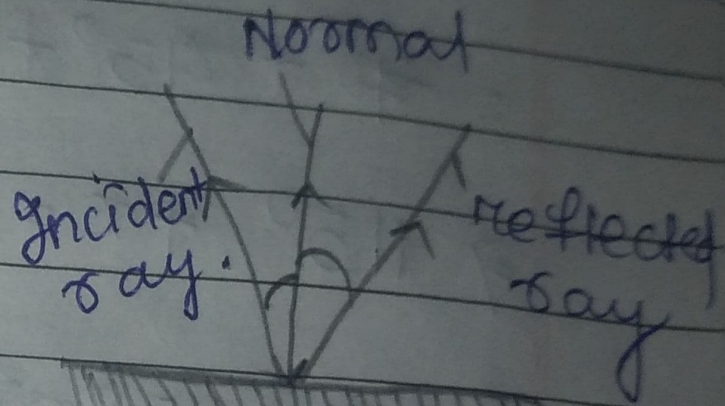


$\Rightarrow BM \parallel CN$

$$\Rightarrow \angle 1 = \angle 2 \quad [\angle i - \angle r]$$

$$\Rightarrow \angle 3 = \angle 4 \quad [\angle i - \angle r]$$

$\Rightarrow \angle 2 = \angle 3$  (Alternate angle)



$$2\angle 2 = 2\angle 3$$

$$\Rightarrow \angle ABC = \angle BCD$$

But they are alternate  
~  $AB \parallel CD$  (proved)