

30/8/21

# Triangles

## Exercise 7.1

HW

1) In quadrilateral ABCD,

$AC = AD$  and AB bisects  $\angle A$ . Show that  $\triangle ABC \cong \triangle ABD$ . What can you say about BC and BD.

$\Rightarrow$  Given -  $AC = AD$

AB bisects  $\angle A$

To prove -  $\triangle ABC \cong \triangle ABD$

proof - In  $\triangle ABC$  and  $\triangle ABD$

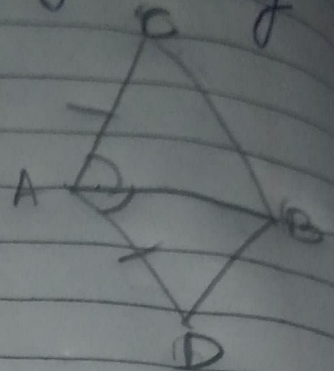
$$AC = AD \text{ (Given)}$$

$$AB = AB \text{ (Common)}$$

$$\angle BAC = \angle BAD \text{ (AB bisects } \angle A)$$

$$\triangle ABC \cong \triangle ABD \text{ (SAS)}$$

$$BC = BD \text{ (CPCT)}$$



2) ABCD is a quadrilateral in which AD  $\parallel$  BC and  $\angle DAB = \angle CBA$ . Prove that fig

i)  $\triangle ABD \cong \triangle BAC$

ii)  $BD = AC$

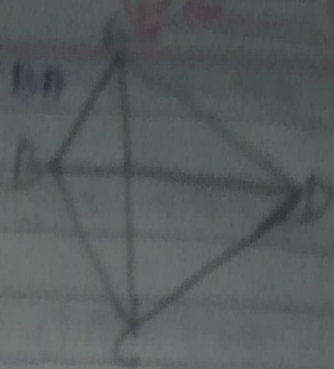
iii)  $\angle ABD = \angle BAC$

⇒ Given  $\therefore AD = BC, \angle DAB = \angle CBA$

To prove  $\therefore$  (i)  $\triangle ABD \cong \triangle BAC,$

ii)  $BD = AC$

iii)  $\angle ABD = \angle BAC$



Proof  $\therefore$  In  $\triangle ABD$  and  $\triangle BAC$

$AD = BC$  (given)

$\angle DAB = \angle CBA$  (given)

$BD = BD$  (common)

$\triangle ABD \cong \triangle BAC$  (SAS)

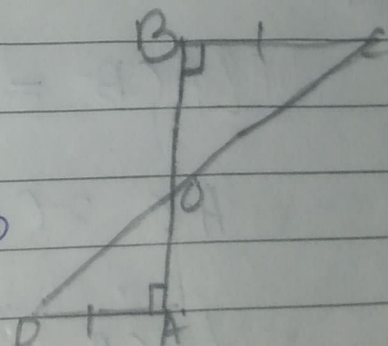
$\therefore BD = AC$  (CPCT)

and  $\angle ABD = \angle BAC$  (CPCT)

3) AD and BC are equal perpendiculars to a line segment AB. Show that CD bisects AB.

⇒ Given  $\therefore AD \perp AB, BC \perp AB$   
 $AD = BC.$

To prove  $\therefore$  CD bisects AB.  
 $OA = OB$



proof  $\therefore$  In  $\triangle BOC$  and  $\triangle AOD$



$\angle BOC = \angle AOD$  (vertically opposite angles)

$\angle CBO = \angle DAO$  ( $90^\circ$ )

$BC = AD$  (given)

$\therefore \triangle BOC \cong \triangle AOD$  (AAS)

$\therefore BO = AO$  (CPCT)

CD bisects AB  $\downarrow$  is proved.

4)  $l$  and  $m$  are two parallel lines intersected by another pair of parallel lines  $p$  and  $q$ . Show that  $\triangle ABC \cong \triangle CDA$ .

$\Rightarrow$  Given  $\rightarrow l \parallel m$  &  $p \parallel q$

To prove  $\therefore \triangle ABC \cong \triangle CDA$

proof  $\therefore$  In  $\triangle ABC$  and  $\triangle CDA$

$\angle ACB = \angle CAD$  (alternate angle)

$AC = CA$  (common)

$\angle BCA = \angle DAC$  (alternate angle)

$\therefore \triangle ABC \cong \triangle CDA$  (ASA)

Hence proved.

