

10 If the last digit is 0 or 5, the number is divisible by 5. 18, 20, 25, 30, 35, 40, 45, 50, 55, 60, 65, 70, 75, 80, 85, 90, 95, 100
Divisibility Rule: EX: - 9 (C)

i) 352 = Digit at unit's place = 2
Hence, the number is divisible by 2.

ii) 523 = Digit at unit's place = 3
Hence, the number is not divisible by 2.

Divisibility by 7 \Rightarrow i) Multiply unit digit by 2.
ii) Subtract it from the rest of the digits.
 $3 \times 2 = 6$
 $34 - 6 = 28$
28 is a multiple of 7.
So, ~~348~~ 343 is divisible by 7.

Divisibility by 11 :- If the difference between the sum of its digits in even places and sum of its digits in odd places is either 0 or multiple of 11.

Sum of digits in even places = 5

Sum of digits in odd places = $3 + 2 = 5$

Difference between these two sums = $5 - 5 = 0$

∴ 352 is divisible by 11.

EX: - 9 (c)

Q. 11
11.11

i) 496 = Digit at unit's place = 6
Hence, the number is divisible by 2

ii) 647 = Digit at unit's place = 7
Hence, the number is not divisible by 2.

2) 222 = Digits at place value = ~~212~~
Hence, the number 22 is not divisible by 4.

ii) 532 = Digit at unit's place value = ~~32~~
Hence, the number 32 is divisible by 4.

iii) 678 = Digits at place value = 78
Hence, the number 78 is not divisible by 4.

iv) 9232 = Digits at place value = 32
Hence, the number 32 is divisible by 4.

3. i) $324 = \text{Digits at Place Value} = 324$
Hence, the number is not divisible by 8.

ii) $2536 = \text{Digits at Place Value} = 2536$
Hence, the number is ~~not~~ divisible by 8.

iii) $92760 = \text{Digits at Place Value} = 760$
Hence, the number is divisible by 8.

iv) $444320 = \text{Digits at Place Value} = 320$
Hence, the number is divisible by 8.

4. i) $221 = \text{Digits at Place Value} = 2+2+1=5$
Hence, the number is not divisible by 3.

ii) $543 = \text{Digits at Place Value} = 5+4+3=12$
Hence, the number is divisible by 3.

iii) $228492 = \text{Digits at Place Value} = 2+2+8+4+9+2=27$
Hence, the number ~~is not~~ ^{is not} divisible by 3 is not divisible ~~by 3~~ ₃.

iv) $92349 = \text{Digits at Place Value} = 9+2+3+4+9=27$
Hence, the number is divisible by 3.

5. i) $2332 = \text{Digits at Place Value} = 2+3+3+2=10$
Hence, the number is not divisible by 7.

ii) $53247 = \text{Digits at Place Value} = 5+3+2+4+7=21$
Hence, the number is divisible by 7.

iii) $4968 = \text{Digits at Place Value} = 4+9+6+8=27$
Hence, the number is divisible by 7.

Q) 200314 :- Digits at Place Value = $2+0+0+3+1+4$

Hence, the number is not divisible by 9. = 10

Ans

- ⑥ i) $324 = \text{Digits at Place Value} = 3+2+4 = 9$
Hence, 324 is divisible by 6.
- ii) $2010 = \text{Digits at Place Value} = 2+0+1+0 = 3$
Hence, 2010 is ~~not~~ divisible by 6.
- iii) $33278 = \text{Digits at Place Value} = 3+3+2+7+8 = 23$
Hence, 33278 is not divisible by 6.
- iv) $15505 = \text{Digits at Place Value} = 1+5+5+0+5 = 16$
Hence, 15505 is not divisible by 6.
- ⑦ i) $5080 = \text{Digits at Place Value} = 5+0+8+0 = 13$
Hence, 5080 is divisible by 5.
- ii) $66666 = \text{Digits at Place Value} = 6+6+6+6+6 = 30$
Hence, 66666 is not divisible by 5.
- iii) $755 = \text{Digits at Place Value} = 7+5+5 = 17$
Hence, 755 is divisible by 5.
- iv) $9207 = \text{Digits at Place Value} = 9+2+0+7 = 18$
Hence, 9207 is not divisible by 5.
- ⑧ i) $9990 = \text{Digits at Place Value} = 9+9+9+0 = 27$
Hence, 9990 is divisible by 10.
- ii) $0 = \text{Digits at Place Value} = 0$
Hence, 0 is divisible by 10.
- iii) $847 = \text{Digits at Place Value} = 8+4+7 = 19$
Hence, 847 is not divisible.

iv) $8976 = \text{Digits at Place Value} = 8976$
Hence, 8976 is not divisible by 8976 .

9. i) $5918 =$ sum of the even places from the right side $= 8 + 9 + 5 = 22$
 ~~$9 + 8 = 17$~~

sum of the odd places from the right side $= 5 + 1 = 6$

Difference of the two sums $= 22 - 6 = 16$
Hence, 5918 is not divisible by 11 .

ii) $68717 =$ sum of the ~~even~~ odd places from the right side $= 8 + 1 = 9$

sum of the odd places from the right side $= 7 + 7 + 6 = 20$

Difference of the two sums $= 20 - 9 = 11$
Hence, 68717 is divisible by 11 .

iii) $3882 =$ sum of the even places from the right side $= 8 + 2 = 10$

sum of the odd places from the right side $= 3 + 8 = 11$

Difference of the two sums $= 11 - 10 = 1$

Hence, 3882 is not divisible by 11 .

iv) $10,857$ = sum of the even places from the right side = $8 + 0 = 5$

Sum of the odd places from the right side = ~~$7 + 5 + 1 = 13$~~ $7 + 8 + 1 = 16$

Difference of the two sums = $16 - 5$
= ~~11~~ 11

Hence, $10,857$ is divisible by 11 .

by 11.

i) $960 = \text{Digits at Place Value} = 960$
Hence, 960 is divisible by 15 .

ii) $8295 = \text{Digits at Place Value} = 8295$
Hence, 8295 is divisible by 15 .

iii) $10243 = \text{Digits at Place Value} = 10243$

Hence, 10243 is not divisible by 15.

iv) $5013 = \text{Digits at place value} = 5013$
Hence, 5013 is not divisible by 15.

i) 64 M 3

Sum of digits =

$$A \rightarrow 6 + 4 + M + 3 = 13 + M$$

$$13 + M = 3, 6, 9, 12, 15, 18, 21, \dots$$

$$13 + M = 15$$

$$M = 15 - 13 = 2$$

$$M = 2$$

ii)

46 M 46

A \rightarrow Sum of digits =

$$4 + 6 + M + 4 + 6 = 20 + M$$

$$20 + M = 3, 6, 9, 12, 15, 18, 21, \dots$$

$$20 + M = 21$$

$$M = 21 - 20 = 1$$

$$M = 1$$

iii) 27 M 53

11) Sum ~~27~~M53 of digits =

$$2 + 7 + M + 5 + 3 = 17 + M$$

$$17 + M = 3, 6, 9, 12, 15, 18, 21, 24, \dots$$

$$M = 17 - 18 = 18 - 17 = \textcircled{1}$$

$$= 1$$

$$= M = 1$$

$$= M = 1$$

12. i) ~~37~~M276M99

sum of the digits =

$$7 + 6 + M + 9 + 9 = 23 + M$$

$$23 + M = 9, 18, 27, 36, 45, 54, \dots$$

$$23 + M = 27$$

$$M = 27 - 23 = 4$$

$$= M = 4$$

ii) 77548M

A) sum of digits = $7 + 7 + 5 + 4 + 8 + M = 31 + M$

$$31 + M = 9, \textcircled{18}, 27, 36, 45, 54, \dots$$

$$31 + M = 36$$

$$M = 36 - 31 = 5$$

$$M = 5$$

iii) 627M9

A) ~~sum~~ sum of digits = $6 + 2 + 7 + M + 9 = 24 + M$

$$24 + M = 9, 18, 27, 36, 45, 54, \dots$$

$$M = 27 - 24 = 3$$

$$24 + M = 27$$

$$M = 3$$

13. i) $39M2$ even

A) Sum of the ~~odd~~ ^{even} digits = $9+2=11$

Sum of the ~~even~~ ^{odd} digits = $3+M$

Difference of the two sums = $11 - (3+M)$

$= 11 - 3 - M = 8 - M$

By the divisibility test of 11

$8 - M = 0 \Rightarrow 8 = M \Rightarrow M = 8$

ii) $3M422$

A) Sum of the even digits = $2+M$

Sum of the odd digits = $3+4+2=9$

Difference of the two sums = $9 - (2+M)$

$= 9 - 2 - M$

$= 7 - M$

$= 7 - M = 0 \Rightarrow M = 7$

iii) $70975M$

A) Sum of the ~~even~~ ^{odd} digits = $7+9+5=21$

Sum of the even digits = $0+7+M$

Difference of the two sums = $21 - (7+M)$

$21 - 7 - M = 0 \Rightarrow 14 - M = 0$

$\Rightarrow 14 - 11 = 3 = M = 3$

iv) $14M75$

A) Sum of the even digits = $4+7=11$

Sum of the odd digits = $1+M+5=6+M$

Difference of the two sums = $11 - (6+M)$

$= 11 - 6 - M$

$= 5 - M = 0 \Rightarrow M = 5$

14. i) If a number is divisible by 4, It is divisible by 2

ii) If a number is a factor of 16 and 24, It is a factor of 48

iii) If a number is divisible by 18, It is divisible by 6 and 9

iv) If a number divides both b and c completely, then it also divides $a+b$ and $a-b$ completely. [T]