

From the diagram,

$APQ = PQR$  (Alternate interior angles)

Now, putting the value of  $APQ = 50^\circ$  &  $PQR = x$ ,  
we get,  
 $x = 50^\circ$

Also,

$APR = PRD$  (Alternate interior angles)

$APR = APQ + QPR$

Now, putting value of  $QPR = y$  &  
 $APR = 127^\circ$ , we get

$127^\circ = 50^\circ + y$

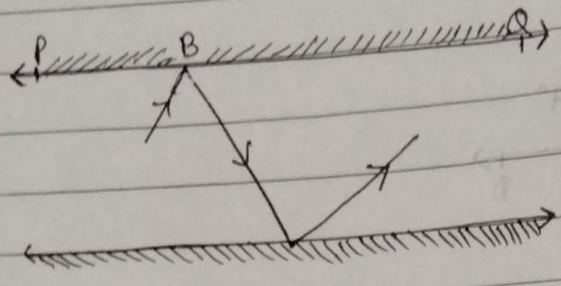
$y = 77^\circ$

The values of  $x$  &  $y$  are calculated as:-

$x = 50^\circ$

$y = 77^\circ$

Q6)



Sol<sup>n</sup> :-

First, draw two lines BE & CF such that  $BE \perp PQ$  &  $CF \perp RS$ .

Now, since  $PQ \parallel RS$ ,

So,  $BE \parallel CF$

we know that,

Angle of incidence = Angle of reflection (By the law of reflection)

So,

$$1 = 2$$

$$3 = 4$$

we also know that alternate interior angles are equal.

Here,  $BE \perp CF$  and the transversal line BC cuts them at B & C.

So,  $2 = 3$  (As they are alternate interior angles)

$$\text{Now, } 1 + 2 = 3 + 4$$

$$ABC = DCB$$

So, AB & CD are alternate interior angles are equal.

Q1) It is given the TQR is a straight line and so, the linear pairs (i.e. TQP and PQR) will add up to  $180^\circ$ .

$$\text{So, } \angle TQP + \angle PQR = 180^\circ$$

Putting the value of  $\angle TQP = 110^\circ$

$$\angle PQR = 70^\circ$$

Consider the  $\triangle PQR$ ,

Here, the side QP is extended to S and so, SPR form the exterior angle.

Thus,  $\angle SPR$  ( $\angle SPR = 135^\circ$ ) is equal to the sum of interior opposite angles.

$$\angle PQR + \angle PRQ = 135^\circ$$

Putting the value of  $\angle PQR = 70^\circ$ , we get,

$$\angle PRQ = 135^\circ - 70^\circ$$

$$\text{Hence, } \angle PRQ = 65^\circ$$

Q2) We know that the sum of interior angles of the  $\triangle$ .

$$\text{So, } \angle X + \angle XYZ + \angle XZY = 180^\circ$$

Putting the values as given in the question we get,

$$62^\circ + 54^\circ + \angle XZY = 180^\circ$$

or,

$$\angle XZY = 64^\circ$$

We know that ZO is the bisector so,

$$\angle OZY = \frac{1}{2} \angle XZY$$

$$\therefore \angle OZY = 32^\circ$$

Similarly, YO is a bisector and so,

$$\text{OYZ} = \frac{1}{2} \text{XYZ}$$

or

$$\text{OYZ} = 27^\circ \text{ (as XYZ} = 54^\circ \text{)}$$

Now as the sum of the ~~interior~~ interior angles of the triangle.

$$\text{OZY} + \text{OYZ} + \text{O} = 180^\circ$$

Putting their respective values we get,

$$\text{O} = 180^\circ - 32^\circ - 27^\circ$$

$$\text{O} = 121^\circ$$

Q3) we know that AE is a transversal since AB DE.

Here BAC and AED are alternate interior angles.

Hence,  $\angle \text{BAC} = \angle \text{AED}$

It is given that  $\angle \text{BAC} = 35^\circ$

$$\angle \text{AED} = 35^\circ$$

Considering  $\triangle \text{CDE}$ . we know that the sum of the interior angles of a triangle is  $180^\circ$ .

$$\therefore \angle \text{DCE} + 35^\circ + 53^\circ = 180^\circ$$

$$\text{Hence, } \angle \text{DCE} = 92^\circ$$