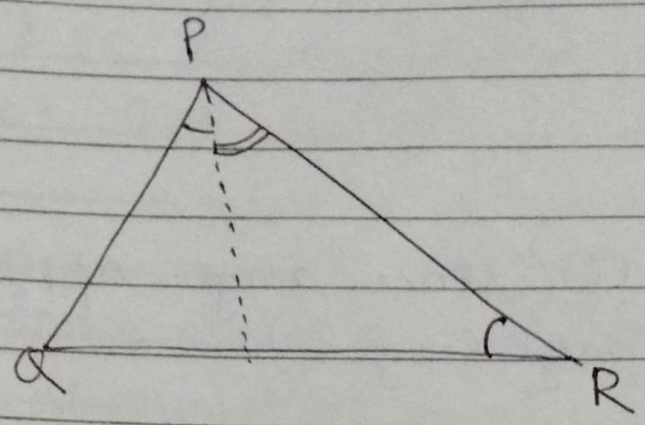


$\therefore A > C$ .

Q5 >



Sol<sup>n</sup>:  $PR > PQ$  and  $PS$  bisects  $\angle QPR$ .

Now we will have to prove that angle  $PSR$  is smaller than  $PSQ$  i.e.  $PSR > PSQ$ .

Proof:-

$\angle PS = R \cdot PS$  (i) (As  $PS$  bisects  $\angle QPR$ )

$\angle Q > \angle R$  (ii) (Since  $PR > PQ$  as angle opposite to the larger side is always larger)

$\angle PSR = \angle Q + \angle PS$  (iii) (Since the exterior angle of a triangle equals to the sum of opposite interior angles)

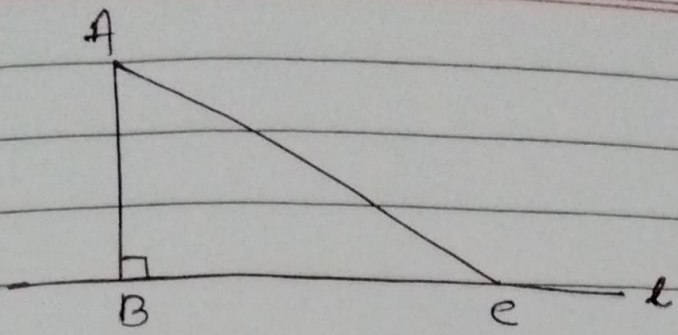
$\angle PSQ = \angle R + \angle PS$  (iv) (As the exterior angle of a triangle equals to the sum of opposite interior angles)

By adding (i) & (ii)

$$\angle Q + \angle PS > \angle R + \angle PS$$

Thus from (i), (ii), (iii) & (iv) we get  $\angle PSR > \angle PSQ$

Q6.)



To prove :-  $AB < AC$

Proof :-

In  $\Delta ABC$ ,  $B = 90^\circ$

Now, we know that

$$A + B + C = 180^\circ$$

$$\therefore A + C = 90^\circ$$

Hence, C must be an acute angle which implies

$$C < B$$

So,  $AB < AC$  (As the side opposite to the larger angle is always larger).