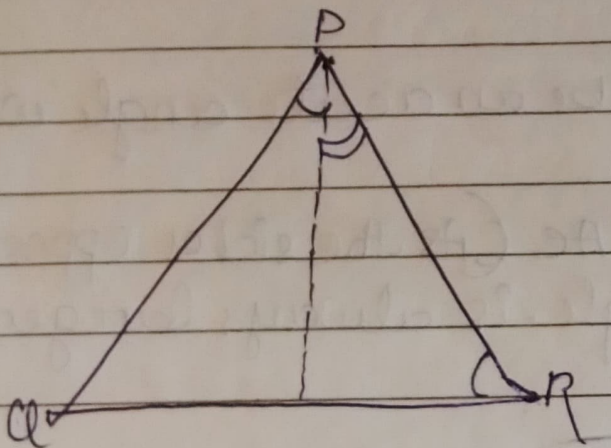


Q5) ans)



$PR > PQ$ (given)
PQ and PS bisectors of $\angle PRQ$
(given)

To Prove \rightarrow

$\angle PSR$ is smaller than $\angle PSQ$ that
is $PSR > PSQ$

proof \rightarrow

$\angle QPS = \angle RPS \rightarrow$ (i) (As PS bisects $\angle QPR$)

$\angle PQR > \angle PRQ \rightarrow$ (ii) (since $PR > PQ$ as angle opposite to the larger side is always larger)

$PSR = \angle PQR + \angle QPS \rightarrow$ (iii) (since, the exterior angle of a triangle equals to the sum of opposite interior angles)

$PSQ = \angle PRQ + \angle RPS \rightarrow$ (iv) (As the exterior angle of a triangle equals to the sum of opposite interior angles)

By adding equations (i) and (iii)

$$PQR + QPS > PRQ + RPS$$

Thus, from (i) (ii) (iii) and (iv),
we get $PSR > PSQ$

(6) ans) $AB < AC$

Proof:

In $\triangle ABC$, $B = 90^\circ$

Now, we know that

$$A + B + C = 180^\circ$$

$$\therefore A + C = 90^\circ$$

Hence, C must be an acute angle which implies $C < B$

So, $AB < AC$ (As the sides opposite to the larger angle is always larger)