

HOMEWORK

1. Can a triangle be formed by line segments of lengths a, b and c , such that $a > b - c$?

Sol: Let $a = 6, b = 2, c = 1$

$$a > b - c$$

$$\Rightarrow 6 > 2 - 1 \Rightarrow 6 > 1$$

And ~~But~~ $b + c > a$

$$\Rightarrow 2 + 1 < 6$$

$$\Rightarrow 3 < 6$$

The triangle cannot be formed as it contradicts the rule that sum of two sides is always greater than the third side.

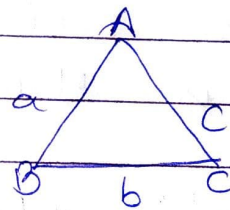
2. Can a triangle be formed by line segments of lengths a, b and c , such that $a = b - c$?

Sol: In a $\triangle ABC$

$$a + b > c$$

$$a + c > b$$

$$b + c > a$$



even, $a = b - c$

$$\Rightarrow a + c = b$$

But this ~~contradicts~~ contradicts the rule that $a + c > b$. Therefore, the triangle cannot be formed.

3. The areas of parallelograms on the same base and between the same parallel lines are equal.

4. In a regular polygon, are all the exterior angles equal?

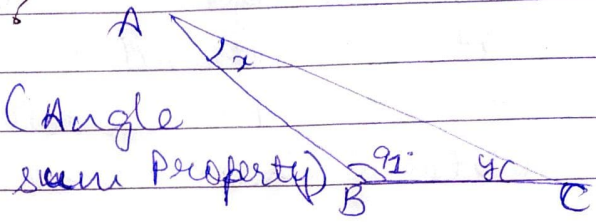
Sol: Yes.

5. Can the sum of two angles of a triangle be less than the third angle?

Sol:

In $\triangle ABC$

$$x + y + 91^\circ = 180^\circ \text{ (Angle sum Property)}$$



$$\Rightarrow x + y = 89^\circ$$

Therefore, $x + y < 91^\circ$

So, the sum of two angles of a triangle can be less than the third angle.

6. If all the sides of a polygon are equal, then all its interior angles must be equal. Is the given statement true?

Sol: Yes, the given statement is true.

7. If a circle passes through four points, then the four points are said to be concyclic.

8. Two circles cannot intersect in more than two points. [True/False]

Ans: True

9. Two quadrilaterals of equal perimeters occupy equal areas. Is this statement always true?

Ans: No, the perimeters can be same, but the areas are not always same.

Let the sides of one rectangle be 4, 2, 4, 2.

$$\therefore \text{Perimeter} = 2(4+2) = 6 \times 2 = 12 \text{ units}$$

$$\text{Area} = 4 \times 2 = 8 \text{ units}^2$$

Let another rectangle has sides 3, 3, 3, 3

$$\therefore \text{Perimeter} = 2(3+3) = 6 \times 2 = 12 \text{ units}$$

$$\text{Area} = 3 \times 3 = 9 \text{ units}^2$$

Therefore, the perimeter is same, but the areas are different.