

Hw
1/07/21

Ex - 9(c)

1. divisible by 2

i) $35\underline{2}$ = Yes it is divisible by 2

ii) $52\underline{3}$ = No, it is not divisible by 2

iii) $49\underline{6}$ = Yes, it is divisible by 2

iv) $64\underline{9}$ = No, it is not divisible by 2

2. Divisible by 4

i) 222 = No, it is ^{not} divisible by 4 because 22 is not divisible 4.

ii) 532 = Yes it is divisible by 4.

iii) 678 = No it is not divisible by 4.

iv) 9232 = Yes, it is divisible by 4.

4. Divisible by 3.

i) 221 = $2+2+1 = 5$ No, it is not divisible by 3

ii) 543 = $5+4+3 = 12$ Yes, it is divisible by 3

iii) 28492 = $2+8+4+9+2 = 25$ No, it is divisible by 3

iv) 92349 = $9+2+3+4+9 = 27$, Yes it is divisible by 3

5. Divisible by 9

i) 1332 = $1+3+3+2 = 8$, No

ii) 2010 = $2+0+1+0 = 3$, No

iii) 4968 = $4+9+6+8 = 27$, Yes

ii) $200314 = 2+3+1+4 = 10$, No

6. Divisibility by 6

i) $324 =$ it is divisible by both 2 and 3
 \therefore it is divisible 6

ii) $2010 =$ it is divisible by 6

iii) $33278 =$ No it is not divisible by ^{both} 2 and 3
 \therefore it is not divisible by 6^1

iv) $15505 =$ No it is not divisible by 6

7) Divisible by 5

i) $5080 =$ Yes, it is divisible by 5

ii) $66666 =$ No, it is not divisible by 5

iii) $755 =$ Yes, it is divisible by 5

iv) $9205 =$ Yes, it is divisible by 5

8. Divisible by 10.

i) $9990 =$ Yes it is divisible by 10

ii) $0 =$ Yes it is because the unit place is 0

iii) $847 =$ No, it is not divisible by 10

iv) $8976 =$ No, it is not divisible by 10

Divisibility rules

8 - The number represented by its last three digits is divisible by 8

Eg. 28

ii. = eg. 23579

Sum of digit in odd place = $2 + 5 + 9 = 16$

Sum of digit in even place = $3 + 7 = 10$

Difference of the sum of odd place and even place : $16 - 10 = 6$

6 is not divisibility by 11
So, 23579 is not divisibility.

Ex - 9 (c)

Q9. Divisible by 11

sum of

ii) 680717 = Digit in odd place = $6 + 7 + 7 = 20$

Sum of digit in even place = $8 + 1 = 9$

Difference of the sum = $20 - 9 = 11$

11 is divisible by 11

So, 680717 is divisible by 11

11 In each of the following numbers, replace M by the smallest whole number to make the resulting number divisible by 3 :

i) 64M3

$$6 + 4 + M + 3 = 13 + M$$

64M3 is divisible by 3 if $13 + m$ is divisible by 3

$$\text{If } m = 2; 13 + 2 = 15 \text{ divisible by } 3$$

Smallest no. = 6423

12. In each of the following numbers, replace M by the smallest whole number to make the resulting number divisible by 3:-

i) 76M91 =

$$7 + 6 + M + 9 + 1 = 23 + m$$

$$M = 4$$

$$= 23 + 4 = 27$$

Smallest no. 76491

HW

Ex - 9(c)

i) 324 = is not divisible by 8. $324 \div 8 = 40.5$

ii) 2536 = is divisible by 8. $2536 \div 8 = 317$

iii) 92760 = is divisible by 8. $92760 \div 8 = 11595$

iv) 444320 = is divisible by 8. $444320 \div 8 = 55540$

Q 9. Divisible by 11

$$\text{i) } 5918 = \text{Sum of digit in odd place} \\ = 9 + 8 = 17$$

$$\text{Sum of digit in even place} = 5 + 1 = 6$$

$$\text{Difference of the sum} = 17 - 6 = 11$$

Yes it is divisible by 11

iii) $3882 = \text{Sum of odd place} = 8 + 2 = 10$
 $\text{Sum of even place} = 3 + 8 = 11$
 $\text{Difference of sum} = 10 - 11 = -1$
 No, it is not divisible by 11

iv) $10857 = \text{Sum of odd place} = 1 + 8 + 7 = 16$
 $\text{Sum of even place} = 0 + 5 = 5$
 $\text{Difference of sum} = 16 - 5 = 11$
 Yes, it is ~~not~~ divisible by 11.

11.

ii) $46M46$

$4 + 6 + M + 4 + 6 = 20 + M$
 $46M46$ is divisible by 11. $\therefore M = 2$
 $20 + 2 = 22$. Smallest no. ~~46246~~ 46146

iii) $27M53$

$2 + 7 + M + 5 + 3 = 17 + M$
 $27M53$ is divisible by 11. $\therefore M = 2$ $17 + 2 = 19$.
 Smallest no. 27153

12.

ii) $77548M$

$7 + 7 + 5 + 4 + 8 + M = 33$
 $77548M$ is divisible by 9.

If $m = 0$, $33 + 0 = 33$ Smallest no.
775480

iii) 627M9

$$6 + 2 + 7 + M + 9 = 24 + M$$

627 is divisible by 9 if $m = 3$

$$24 + 3 = 27 \text{ Smallest no.} = 62739$$

14. State True and False

i) If a no. is divisible by 4, it is divisible by 8. False

ii) If a no. is a factor of 16 and 24, it is a factor of 48. True

iii) If a no. is divisible by 18, it is divisible by 3 and 6. True

iv) If a divides b and c completely, then a divides (i) $a + b$; (ii) $a - b$ also completely. True

————— x —————

5.7.2021

Divisibility by 15

$15 = 3 \times 5$ are co-prime

A no. is divisible by 15 if it is divisible by 15

Q10.

i) 960 - 960 is divisible by 3

960 is divisible by 5

So, it is divisible by 15

ii) 8295 = 8295 is divisible by 3 and

\therefore it is divisible by 15

iii) 10243 = It is not divisible by 5

\therefore It is not divisible by 15

iv) 5013 = It is not divisible by 5

\therefore It is not divisible by 15

Q13.

i) 39m2.

Sum of odd place digits = $2 + 9 = 11$

Sum of even place = $3 + m$

$$= 11 - (3 + m) = 11 - 3 - m = 8 - m$$

$$= 8 - m = 0$$

$$m = 8$$

The required no is 3982

ii) 3m422

Sum of odd place digit = $2 + 2 + 3 = 7$

Sum of even place digit = $2 + m$

$$= 7 - (2 + m) = 7 - 2 - m = 5 - m$$

$$= 5 - 5 = 0$$

$$= m = 5$$

∴ The required number is 37422

iii) 70975M

Sum of digit odd place = $0 + 7 + M = 7 + M$

Sum of digit even place = $7 + 9 + 5 = 21$

$$= 21 - (7 + m) = 21 - 7 - m = 14 - m$$

$$= 14 - m = 11$$

$$= m = 3$$

The required no. is 709753

iv) 14M75

$$= 6 + M$$

Sum of digit in odd place = $1 + M + 5$

Sum of digit in even place = $4 + 7 = 11$

$$= 11 - (6 + m) = 5 - 6 - m = 1 - m$$

$$= 1 - m = 0$$

$$= m = 1$$

The required no. is 14175.

1/6/21