

HW
6.7.21

Ex - 9.(C)

①



i) $352 =$
 $35\textcircled{2} \rightarrow$ even number
So 352 is divisible by 2.

ii) $523 =$
Here the last digit is 3 which is not an even number.
So 523 is not divisible by 2.

iii) $496 =$
 $49\textcircled{6} =$ even number.
496 is divisible by 2.

iv) $649 =$
 $64\textcircled{9} =$ odd number
649 is not divisible by 2.

2) i) 222
 $= 2\textcircled{22}$
22 is not divisible by 4
So 222 is not divisible by 4.

ii) 532
 $= 5\textcircled{32}$
32 is divisible by 4
So, 532 is divisible by 4.

iii) 678
 $= 6\textcircled{78}$
78 is not divisible by 4
So 678 is not divisible by 4.

iv.) $9282 =$
 $92\overline{)32}$
 32 is divisible by 4
 So, 9282 is divisible by 4.

3.) i.) 324
 Here 324 is not divisible by 8
 So 324 is not divisible by 8.

ii.) $2356 \quad 2536 =$
 $25\overline{)36} = 536$ is divisible by 8.
 So 2356 is divisible by 8.

iii.) $92760 =$
 Here $927\overline{)60}$ is divisible by 8.
 So 92760 is divisible by 8.

iv.) 444320
 Here $444\overline{)320}$ is divisible by 8.
 So 444320 is divisible by 8.

4.) i.) $221 =$ Sum of the digits =
 $2+2+1=5$, (5) is not divisible by 3.
 So 221 is not divisible by 3

ii.) $543 =$ Sum of the digits =
 $5+4+3=12$ (12) is divisible by 3.
 So 543 is divisible by 3.

iii.) $28492 =$ Sum of their digits =
 $2+8+4+9+2 = 25$ (25) is not divisible by 3.
 So, 28492 is not divisible by 3.

iv.) $92349 =$ Sum of their digits =
 $9+2+3+4+9 = 27$ (27) is divisible by 3.
 92349 is divisible by 3.

5. i.) $1332 =$
 Sum of their numbers = $1+3+3+2 =$
 $1+3+3+2 = 9$, divisible by 3 } Divisible by 9
 ~~1332 = even no., divisible by 2~~ }
 So 1332 is divisible by 9.

ii.) $53247 =$
 Sum of their digits =
 $5+3+2+4+7 = 21$ is divisible by 3 } not divisible by 9
 ~~53247 = odd no. not divisible by 2~~ }
 So 53247 is not divisible by 9.

iii.) $4968 =$ Sum of their digits =
 $4+9+6+8 = 27$, divisible by 3 } divisible by 9
 ~~4968 = even no., divisible by 2~~ }
 4968 is divisible by 9.

iv.) $200314 =$ Sum of their digits =
 $2+0+0+1+4 = 7$, not divisible by 3. } not divisible by 9
 ~~200314 = even no., divisible by 2.~~ }
 So, 200314 is not divisible by 9.

⑥ i) $324 = \text{Sum of their digits} =$
 $3 + 2 + 4 = 9$ is divisible by 3 } divisible by
 $324 \text{ (4)} = \text{even no}$ is divisible by 2 } 6
 So 324 is divisible by 6.

ii) $2010 = \text{Sum of their digits} =$
 $2 + 0 + 1 + 0 = 3$ is divisible by 3 } divisible by 6
 $2010 \text{ (0)} = \text{even no} = \text{divisible by 2}$ }
 2010 is divisible by 6.

iii) ~~289~~ $33278 = \text{Sum of their digits} =$
 $3 + 3 + 2 + 7 + 8 = 23$ not divisible by 3 } not divisible
 $3327 \text{ (8)} = \text{even no} = \text{divisible by 2}$ } by 6

iv) $15505 = \text{Sum of their digits} =$
 $1 + 5 + 5 + 0 + 5 = 16$, not divisible by 3 } not divisible
 $1550 \text{ (5)} = \text{odd no} = \text{not divisible by 2}$ } by 6
 15505 is not divisible by 6.

⑦ i) $5080 =$
 $508 \text{ (0)} = \text{divisible by 5}$
 So 5080 is divisible by 5.

ii) $66666 =$
 $6666 \text{ (6)} = \text{not divisible by 5}$
 So, 66666 is not divisible by 5

iii) $755 =$
 $75 \text{ (5)} = \text{divisible by 5}$
 So 755 is divisible by 5

iv) $9207 =$
 $920 \text{ (7)} = \text{not divisible by 5}$
 So, 9207 is not divisible by 5.

8. i) $9990 =$
 $9990 =$ divisible by 10
 So 9990 is divisible by 10.

ii) $0 =$
 $0 =$ divisible by 10
 So, 0 is divisible by 10.

iii) $847 =$
 $847 =$ not divisible by 10.
 So 847 is not divisible by 10.

iv) $8976 =$
 $8976 =$ not divisible by 10.
 So 8976 is not divisible by 10.

9. i) $5918 =$

Sum of odd places ^{from the right side} $= 8 + 9 = 17$
 Sum of even places ^{from the right side} $= 5 + 1 = 6$

11

11 is divisible by 11 so
 5918 is divisible by 11.

ii) $68717 =$

Sum of its digits in the odd place from the right side $= 7 + 7 + 6 = 20$
 Sum of its digits in the even place from the left side $= 8 + 1 = 9$

11 is divisible by 11.
 So 68717 is divisible by 11.

11

iii) 3882

Sum of its digits in the odd place from the right side =

$$8 + 2 = 10$$

Sum of its digits in the even place from the right side =

$$8 + 3 = 11$$

$$10 - 11 = -1$$

So 3882 is not divisible by 11.

iv) 10857

Sum of its digits in the odd place from the right side =

$$7 + 8 + 1 = 16$$

Sum of its digits in the even place from the right side =

$$5 + 0 = 5$$

$$16 - 5 = 11$$

11 is divisible by 11.

So 10857 is divisible by 11.

(10) i) 960 ones place

= 960, 0 is ¹divisible by 5

The sum of its digits =

$$9 + 6 + 0 = 15, \text{ divisible by } 3$$

So 960 is divisible by 15.

} divisible by 15

ii) 8295

= 8295, 5 in ones place is divisible by 5

The sum of its digits =

$$8 + 2 + 9 + 5 = 24, \text{ is not divisible by } 3$$

8295 is divisible by 15.

} ~~not~~ divisible
by 15

iii) $102\overline{4}3$

 1023 3 is not divisible by 3

The sum of its digits =

$1+0+2+4+3=10$ is not divisible by 3

 10243 is not divisible by 15.} not divisible
by 15

iv) 5013

 501 3 is not divisible by 3

The sum of its digits =

$5+0+1+3=9$ is divisible by 3

 5013 is not divisible by 15.

} not divisible by 15

(11) i) $64M3 =$

$6+4+3=13$

$M=2$

$13+2=15$

So 6423

ii) $46M46$

$4+6+4+6=20$

$M=1$

$20+1=21$

So 46146

iii) $27M53$

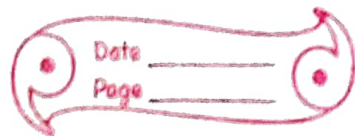
$2+7+5+3=17$

$M=1$

$17+1=18$

So 27153

8



(12) i) $76M91$
 $= 7 + 6 + 9 + 1 = 23$

$M = 4$

$23 + 4 = 27$

So, 76491

ii) $77548M$
 $= 7 + 7 + 5 + 4 + 8 = 31$

$M = 5$

$31 + 5 = 36$

So, 775485

iii) $627M9$
 $= 6 + 2 + 7 + 9 = 24$

$24 + 3 = 27$

$M = 3$

So, $627M9 = 62739$

(13) i) $39M2$ Sum of the digits in the odd places from the right side = $2 + 9 = 11$ Sum of the digits in the even places from the right side = $M + 3$ Difference = $11 - (M + 3)$

$$M = 8$$

$$\text{So } 39M2 = 3982$$

ii) $3M422$

Sum of the digits in the odd places from the right side =

$$2 + 4 + 3 = 9$$

Sum of the digits in the even places from the right side =

$$M + 2$$

Difference = $9 - 2(M + 2)$

$$M = 7$$

$$\text{So, } 3M422 = 37422$$

iii) $70975M$

Sum of the digits in the even place from the right side =

$$5 + 9 + 7 = 21$$

Sum of the digits in the ~~even~~ ^{odd} place from the right side =

$$M + 7 + 0 = M + 7$$

Difference = $21 - 7(M + 7)$

$$M = 14$$

$$\text{So } 70975M = 7097514$$

iv.) 14M75

The sum of the digits in the even place from the right side =
 $7 + 4 = 11$

The sum of the digits in the odd place from the right side =
 $5 + M + 1 = M + 6$

Difference = $11 - 6(M + 6)$

$$M = 5$$

So, $14M75 = 14575$

- (14) i.) If a number is divisible by 4, it is divisible by 8. False
 ii.) If a number is factor of 16 and 24, it is a factor of 48. True
 iii.) If a number is divisible by 18, it is divisible by 3 and 6. True
 iv.) If a divides b and c completely, then a divides i.) $a + b$ ii.) $a - b$ also completely. True

— X —