

Ex-8.1

1) The angles of a quadrilateral are in the ratio  $3:5:9:13$ . Find all the angles of quadrilateral.

Ans: Given that all the angles are in the ratio  $3x, 5x, 9x, 13x$ .

We know that sum of all angles =  $360^\circ$

Now by putting Angle sum property.

$$\Rightarrow 3x + 5x + 9x + 13x = 360^\circ$$

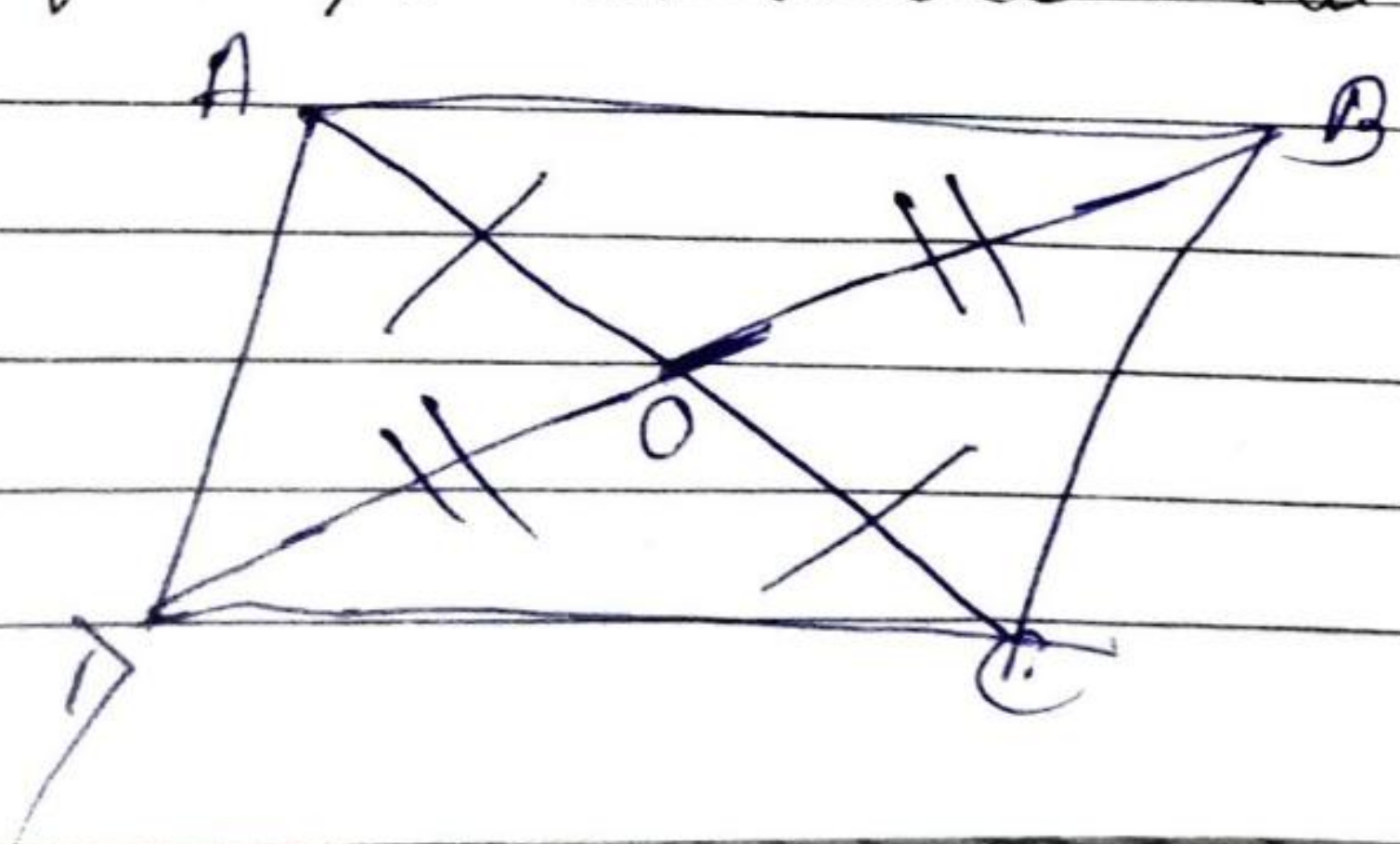
$$\Rightarrow 30x = 360^\circ$$

$$\Rightarrow x = \frac{360^\circ}{30}$$

Now to find all the angles :-  
 $3x = 3 \times 12 = 36^\circ$   
 $5x = 5 \times 12 = 60^\circ$   
 $9x = 9 \times 12 = 108^\circ$   
 $13x = 13 \times 12 = 156^\circ$

( $\therefore$ ) Hence all the angles =  $36^\circ, 60^\circ, 108^\circ, 156^\circ$

2) If the diagonal of the parallelogram are equal, then show that it is a rectangle.



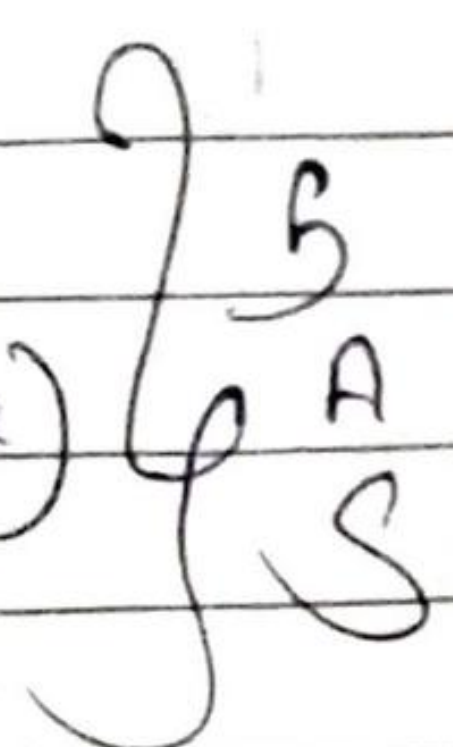


In  $\triangle AOB$  &  $\triangle COA$

$$AO = CO \text{ (Given)}$$

$$\angle AOB = \angle COA \text{ (vertically opposite angle)}$$

$$OA = OB \text{ (Given)}$$



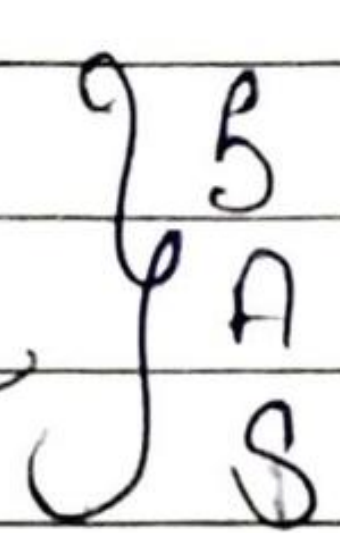
$\therefore$  Now  $AB = CA$  (C.P.C.T)

In  $\triangle AOA$  &  $\triangle BOC$

$$AO = CO$$

$$\angle AOA = \angle BOC$$

$$OA = OB$$



$\therefore \triangle AOA \cong \triangle BOC$  (B.A.S) &  $AA = BC$  (C.P.C.T)

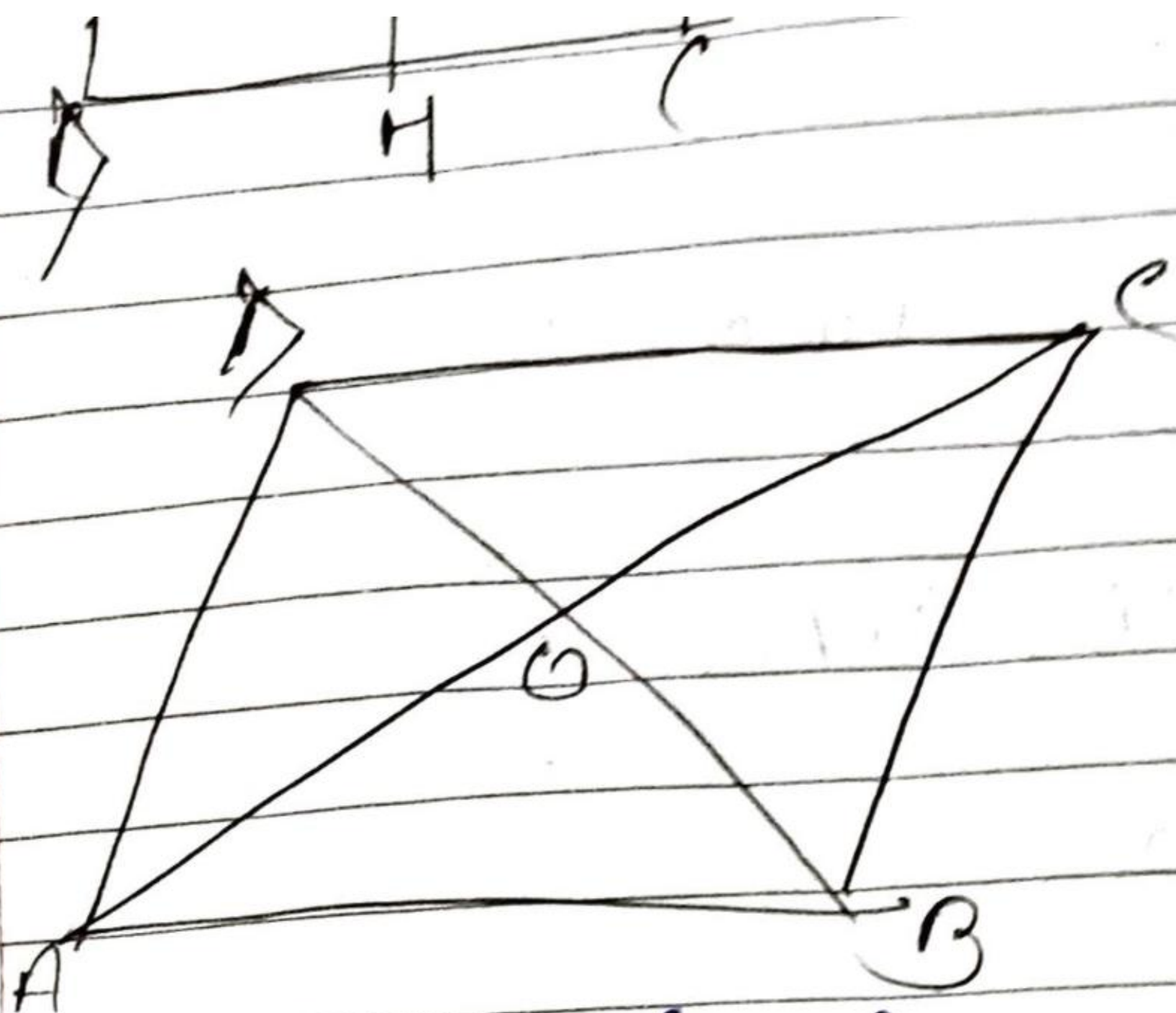
We know that in a rectangle when opposite sides are equal hence the figure is a rectangle.

As now we have proved that  $AB = CA$  &  $AA = BC$  (Hence proved)

$\therefore$  Hence  $ABCA$  is a rectangle.



(3)



In  $\triangle AOB$  &  $\triangle BOC$

$AO = OC$  (Diagonal AC & BD bisect each other) } S

$$\angle AOB = \angle COB [90^\circ]$$

$$BO = BO \text{ [Common]}$$

$\therefore \triangle AOB \cong \triangle BOC$  (SAS)

$$AB = BC \text{ (C.P.C.T.)}$$

Since ABCD is a quadrilateral in which  $AB = BC$

$\therefore$  Hence ABCD is a rhombus. (proved)